



Informatik II - Übung 3

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Nachbesprechung



Sortieren

```
1 public String toString() {
2     String s="[";
3     for (int i=0; i<numbers.length; i++) {
4         if (i!=0) {
5             s = s + ", ";
6         }
7         s = s + numbers[i];
8     }
9     s = s + "];";
10    return s;
11 }
```

Sortieren

```
1 private void recursiveSort(int until) {  
2     if (until == 0) {  
3         return;  
4     } else {  
5         recursiveSort(until - 1);  
6  
7         int index_max = until-1;  
8         for (int i=until; i<numbers.length; i++) {  
9             if (numbers[i] > numbers[index_max]) {  
10                index_max = i;  
11            }  
12        }  
13        swap(until - 1, index_max);  
14    }  
15 }
```

Binärbäume als Arrays

```
1 private static void checkTree(char[] array) throws IllegalArgumentException
2 {
3     if(array.length==0)
4         throw new IllegalArgumentException("empty tree");
5     for(int i=0;i<array.length;i++) {
6         if((array[i]!=' ')&&(array[father(i)]==' '))
7             throw new IllegalArgumentException("empty father");
8     }
9 }
```

Binärbäume als Arrays

```
1 private String toString(int node, String indentation){
2     String res="";
3     if(tree[node]==' ')
4         return "";
5
6     // add the first one to the node
7     res=indentation+Character.toString(tree[node])+"\n";
8
9     //Check if the child node is still inside
10    if(leftChild(node)<tree.length&&leftChild(node)!=' ') {
11        res=res+toString(leftChild(node),indentation+" ");
12    }
13
14    //also check if there is a right child
15    if((rightChild(node)<tree.length)&&(rightChild(node)!=' ')) {
16        res=res+toString(rightChild(node),indentation+" ");
17    }
18
19    return res;
20 }
```

Best of

Vorlesung

String vs StringBuffer

- Klasse **String**
 - immutable: Unveränderlich
 - final -> Operationen können gut optimiert werden (Zb. multithreading)
- Klasse StringBuffer
 - mutable: veränderbar
 - Mehr Platz
 - Gewisse Operationen sind aufwendiger

String vs StringBuffer

```
1 String myString = "hello";  
2 myString = myString + " world";
```

"hello"

" world"

"hello world"

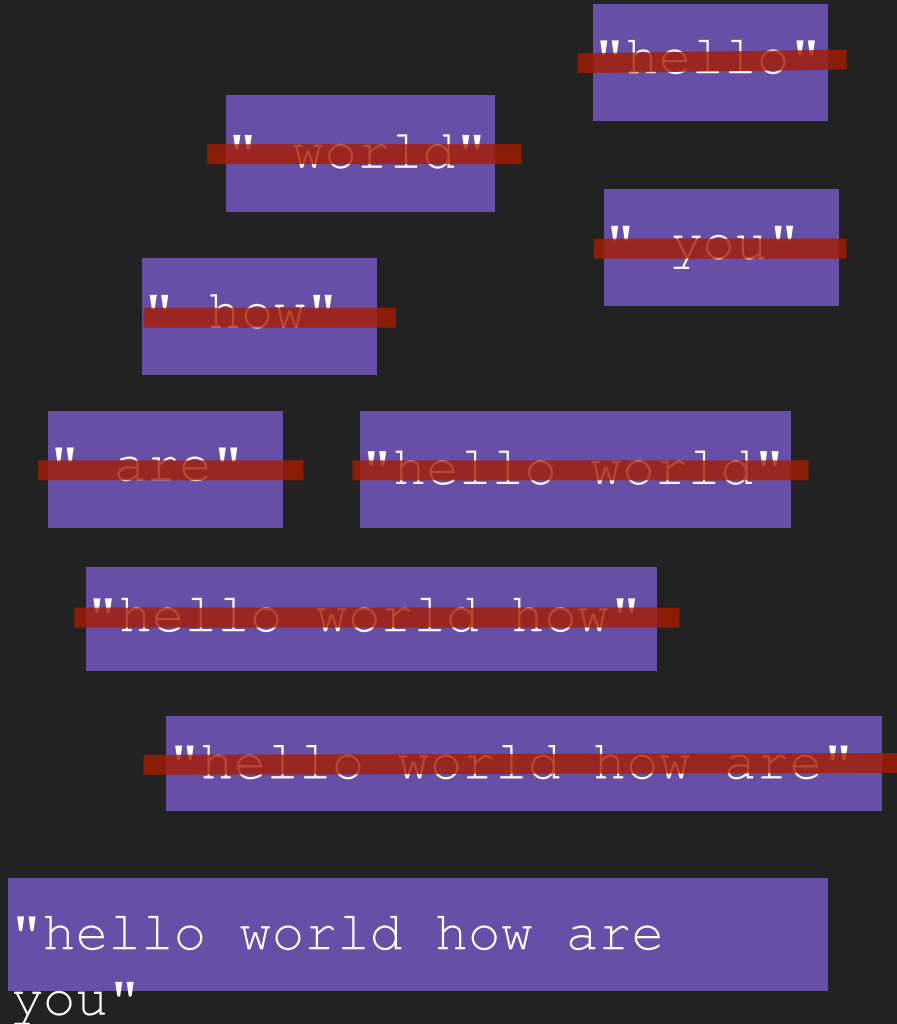
```
1 StringBuffer myStringBuffer = "hello";  
2 myStringBuffer.append(" world");
```

"hello world"

" world"

Garbage Collector

```
1 String myString = "hello";  
2 myString = myString+" world";  
3 myString = myString+" how";  
4 myString = myString+" are";  
5 myString = myString+" you";  
6 myString = myString+" today";
```



Garbage Collector

" today"

```
1 String myString = "hello";  
2 myString = myString+" world";  
3 myString = myString+" how";  
4 myString = myString+" are";  
5 myString = myString+" you";  
6 myString = myString+" today";
```

"hello world how are you today"

"hello world how are you"

Schleifeninvarianten

Schleifeninvarianten sind ein Weg um die Korrektheit einer Funktion zu beweisen.

```
1 static int divide(int in, int div){
2
3     assert(in >= 0 && div >= 0);
4
5     int n = in;
6     int out = 0;
7
8     // [Vor Schleife]
9     while(n >= div){
10        // [Vor Schleifenkörper]
11        out += 1;
12        n -= div;
13        // [Nach Schleifenkörper]
14    }
15    // [Nach Schleife]
16
17    return out;
18 }
```

Schleife

Schleifen Körper

Definition:

1. Falls die Schleifeninvariante vor dem **Schleifenkörper** gilt, so gilt sie auch nach dem **Schleifenkörper**.
2. Wenn man dann zeigen kann, dass die Invariante vor der **Schleife** gilt, so gilt sie auch nach der **Schleife**.

Schleifeninvarianten

Schleifeninvarianten sind ein Weg um die Korrektheit einer Funktion zu beweisen.

```
1 static int f(int i, int j) {
2
3     assert(i >= 0 && j >= 0);
4
5     int u = i;
6     int z = 0;
7
8     // [Vor Schleife]
9     while (u > 0){
10        // [Vor Schleifenkörper]
11        z = z + j;
12        u = u - 1;
13        // [Nach Schleifenkörper]
14    }
15    // [Nach Schleife]
16
17    return z;
18 }
```

Schleife
Schleifenkörper

Definition:

1. Falls die Schleifeninvariante vor dem **Schleifenkörper** gilt, so gilt sie auch nach dem **Schleifenkörper**.
2. Falls man zeigen kann, dass die Invariante vor der **Schleife** gilt, so gilt sie auch nach der **Schleife**.

Schleifeninvarianten

1. Beweise, dass dies eine korrekte Schleifeninvariante ist:

$$in = n + out * div \ \&\& \ n \geq 0 \ \&\& \ (in - n) \% div = 0$$

Vor Schleifenkörper

```
1 static int divide(int in, int div)
2
3     assert(in >= 0 && div >= 0);
4
5     int n = in;
6     int out = 0;
7
8     // [Vor Schleife]
9     while(n >= div){
10        // [Vor Schleifenkörper]
11        out += 1;
12        n -= div;
13        // [Nach Schleifenkörper]
14    }
15    // [Nach Schleife]
16
17    return out;
18 }
```

$$1. \ in = n_n + out_n \cdot div$$

(Schleifeninvariante)

$$\&\& \ n_n \geq 0$$

$$\&\& \ (in - n_n) \% div = 0$$

(Sonst wären wir nicht in den while-loop gekommen)

$$2. \ n_n \geq div$$

Nach Schleifenkörper

$$1. \ in = (n_{n+1} + div) + (out_{n+1} - 1) * div$$

$$\Leftrightarrow in = n_{n+1} + out_{n+1} * div$$

$$2. \ (n_{n+1} + div) \geq div$$

$$\Leftrightarrow n \geq 0$$

$$3. \ (in - (n_{n+1} + div)) \% div = 0$$

$$\Leftrightarrow (in - n_{n+1}) \% div = 0$$

\Rightarrow Schleifeninvariante gilt auch nach Schleifenkörper

Schleifeninvarianten

1. Beweise, dass dies eine korrekte Schleifeninvariante ist:

$$in = n + out * div \ \&\& \ n \geq 0 \ \&\& \ (in - n) \% div = 0$$

Vor Schleifenkörper

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1 static int divide(int in, int div)
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8     // [Vor Schleife]
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11        out += 1;
12        n -= div;
13        // [Nach Schleifenkörper]
14    }
15    // [Nach Schleife]
16
17    return out;
18 }
```

1. $in = n_n + out_n \cdot div$

(Schleifeninvariante)

$\&\& n_n \geq 0$

$\&\& (in - n_n) \% div = 0$

(Sonst wären wir nicht in den while-loop gekommen)

2. $n_n \geq div$

Nach Schleifenkörper

1. $in = (n_{n+1} + div) + (out_{n+1} - 1) * div$

$\Leftrightarrow in = n_{n+1} + out_{n+1} * div$

2. $(n_{n+1} + div) \geq div$

$\Leftrightarrow n \geq 0$

3. $(in - (n_{n+1} + div)) \% div = 0$

$\Leftrightarrow (in - n_{n+1}) \% div = 0$

\Rightarrow Schleifeninvariante gilt auch nach Schleifenkörper

Schleifeninvarianten

2. Zeige, dass die Schleifeninvariante vor der Schleife gilt

$$\underline{\text{in} = \text{n} + \text{out} * \text{div}} \ \&\& \ \underline{\text{n} \geq 0} \ \&\& \ \underline{(\text{in} - \text{n}) \% \text{div} = 0}$$

1.

2.

3.

```
1 static int divide(int in, int div)
2
3     assert(in >= 0 && div >= 0);
4
5     int n = in;
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8     // [Vor Schleife]
9     while(n >= div){
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16
17    return out;
18 }
```

1. $\text{in} = \text{n} + \text{out} * \text{div}$
 $\text{in} = \text{in} + 0 * \text{div}$
 $\text{in} = \text{in} \checkmark$

2. $\text{n} \geq 0$
 $\text{in} \geq 0 \checkmark$

3. $(\text{in} - \text{n}) \% \text{div} = 0$
 $(\text{in} - \text{in}) \% \text{div} = 0$
 $0 \% \text{div} = 0 \checkmark$

Schleifeninvarianten

3. Daraus folgt, dass sie auch nach der Schleife gilt.

$$\text{in} = \text{n} + \text{out} * \text{div} \ \&\& \ \text{n} \geq 0 \ \&\& \ (\text{in} - \text{n}) \% \text{div} = 0$$

```
1 static int divide(int in, int div)
2
3     assert(in >= 0 && div >= 0);
4
5     int n = in;
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14    }
15    // [Nach Schleife]
16
17    return out;
18 }
```

1. $\text{in} = \text{n} + \text{out} * \text{div}$
 $\&\& \ \text{n} \geq 0$
 $\&\& \ (\text{in} - \text{n}) \% \text{div} = 0$

(Schleifeninvariante)

2. $\text{n} < \text{div}$

(Sonst wären wir nicht
aus dem while-loop
gekommen)

Daraus folgt:

1. $0 \leq \text{n} < \text{div}$
 $\&\& \ (\text{in} - \text{n}) \% \text{div} = 0$
 $\&\& \ \text{out} = (\text{in} - \text{n}) / \text{div}$
2. $\Rightarrow \text{out} = \lfloor \text{in} / \text{div} \rfloor$

Schleifeninvarianten

Wie findet man eine Schleifeninvariante?

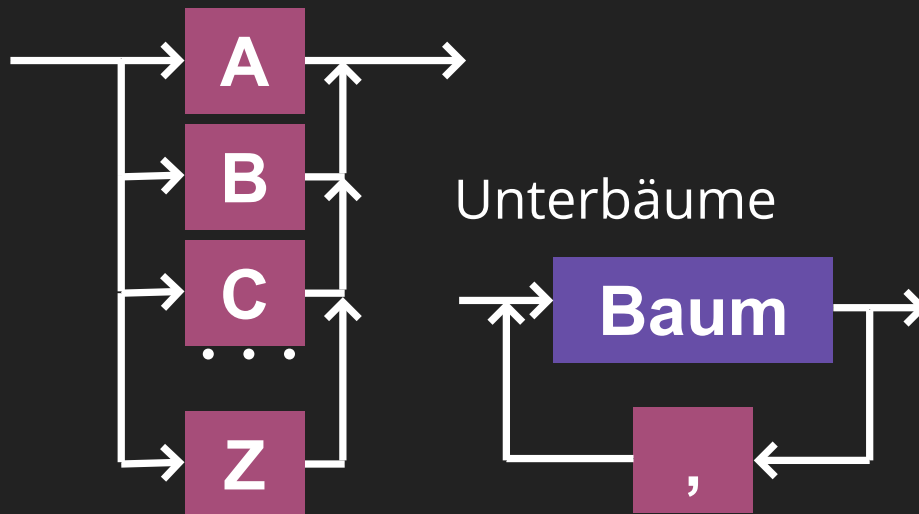
- Es gibt keinen Weg eine Schleifeninvariante zu finden, welche den gewünschten Beweis ermöglicht.
- Es ist nur möglich zu prüfen ob eine Gegebene Invariante funktioniert.
- Probiert eine Invariante aus, schaut ob der Beweis funktioniert.
- Falls nicht, passt eure Invariante an und versucht es nochmals, bis es funktioniert.

Syntaxdiagramme

Baum



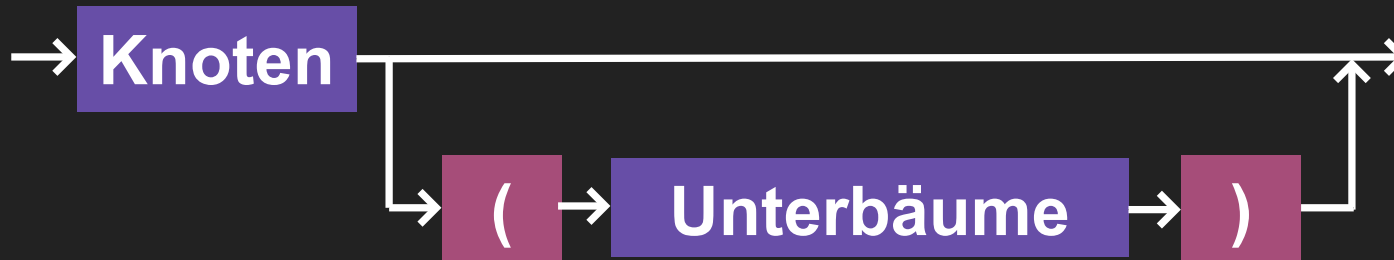
Knoten



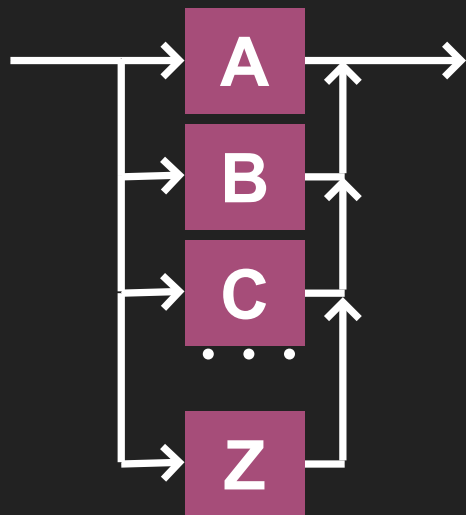
- Gleiches Konzept wie BNF
- Ein Ausdruck ist erzeugbar, wenn es einen Weg durch das Diagramm gibt, welcher diesen beschreibt

Syntaxdiagramme

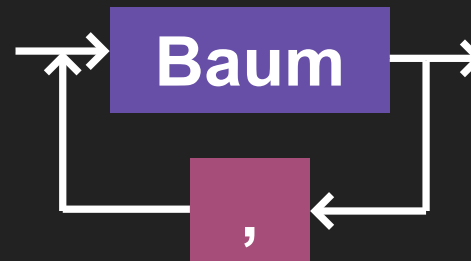
Baum



Knoten



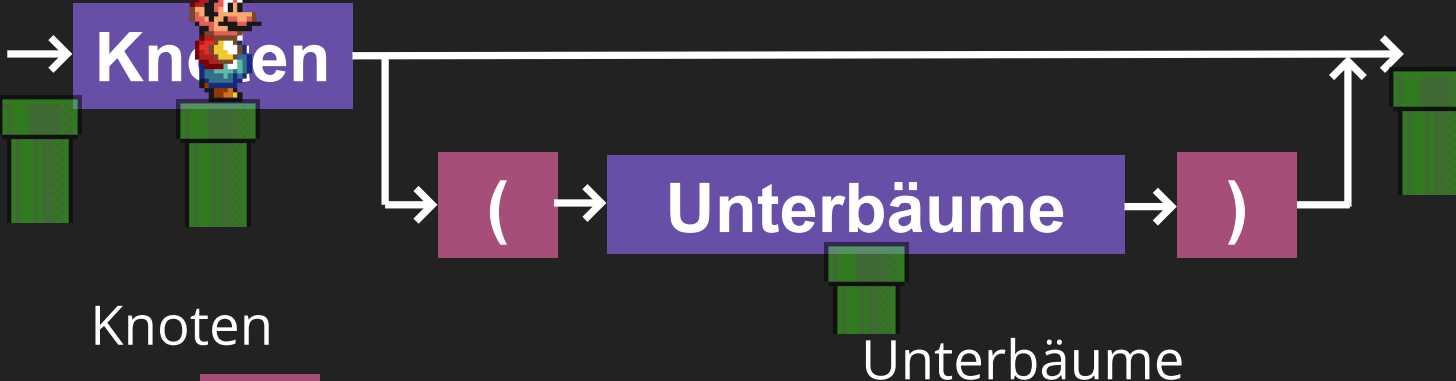
Unterbäume



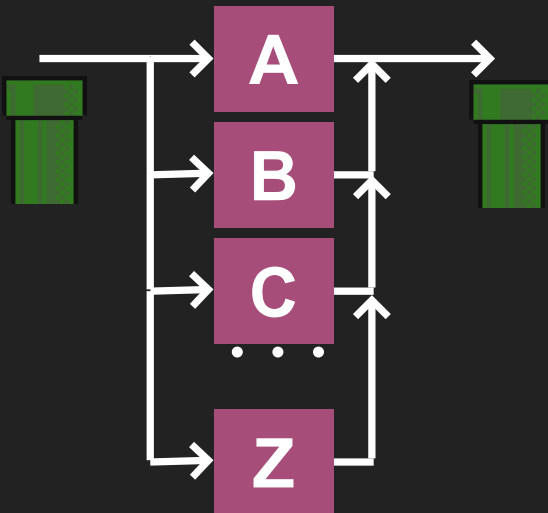
A (B (C , D))

Syntaxdiagramme

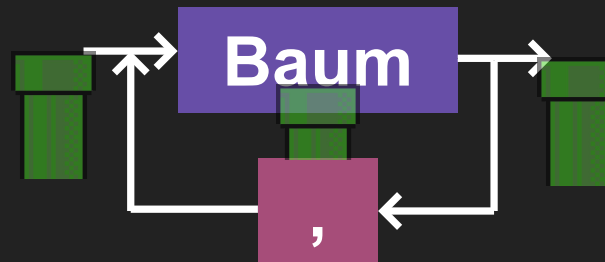
Baum



Knoten



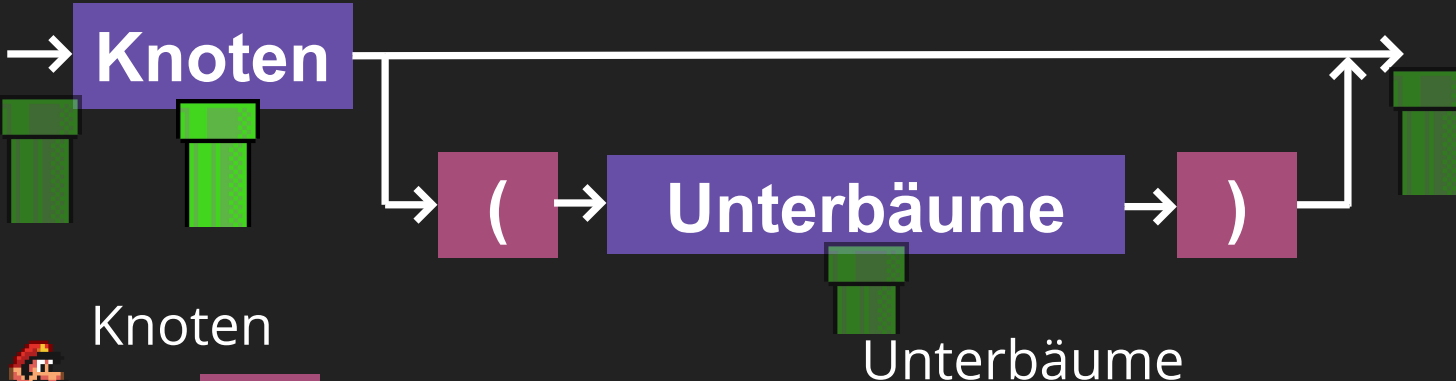
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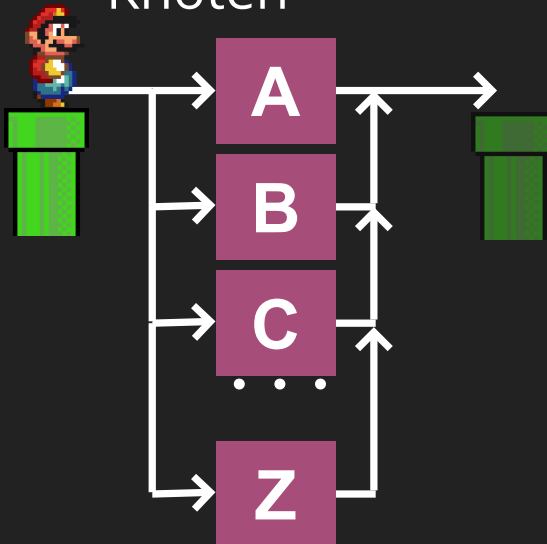
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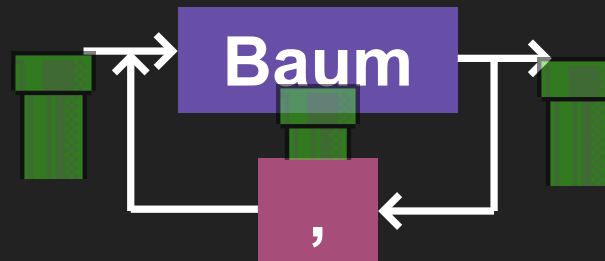
Baum



Knoten



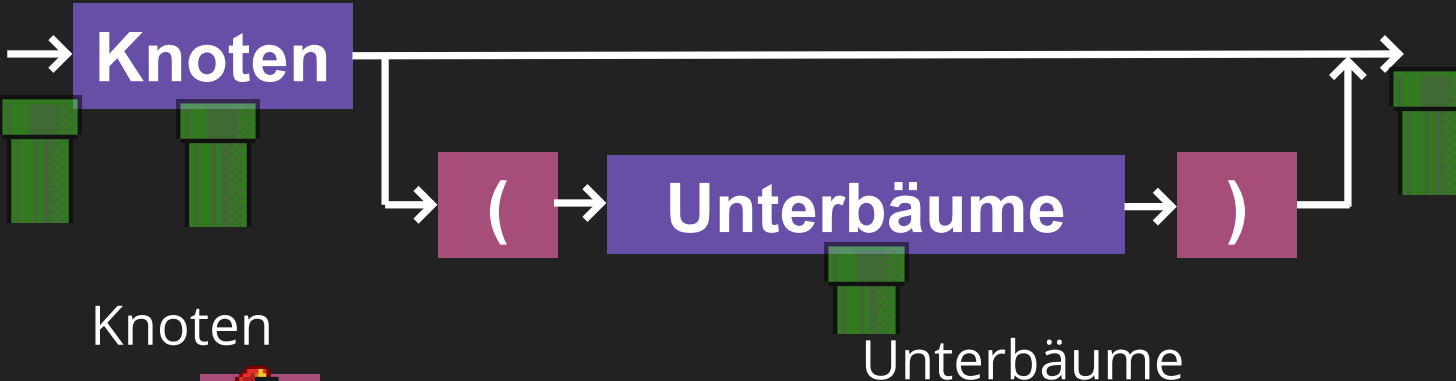
Unterbäume



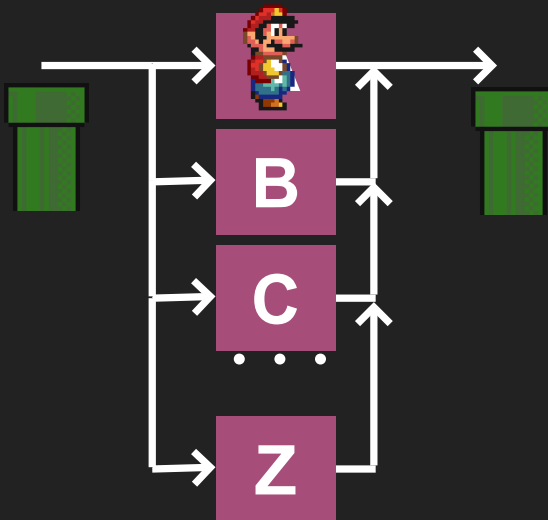
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Syntaxdiagramme

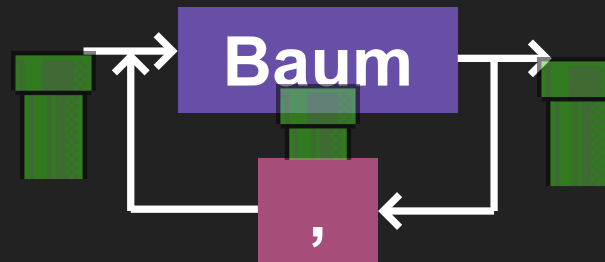
Baum



Knoten



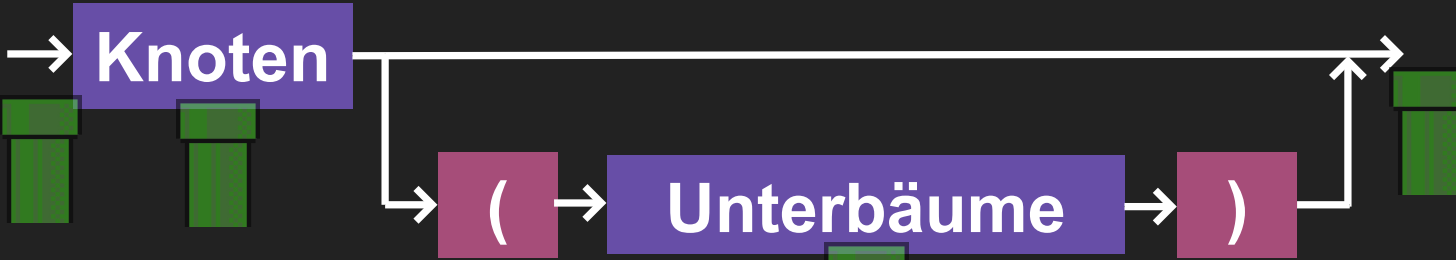
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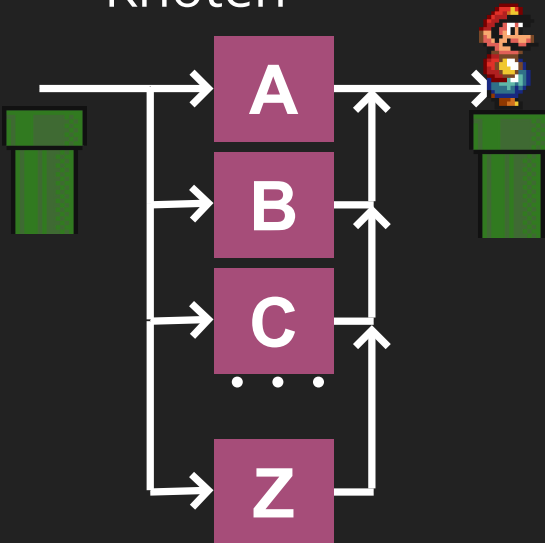
A (B (C , D))

Syntaxdiagramme

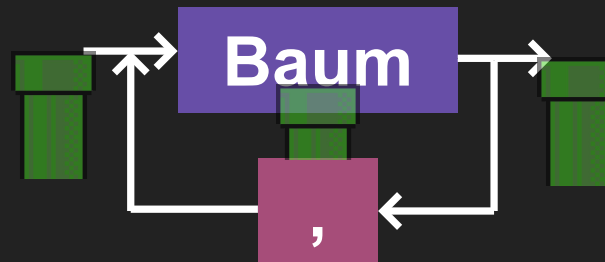
Baum



Knoten



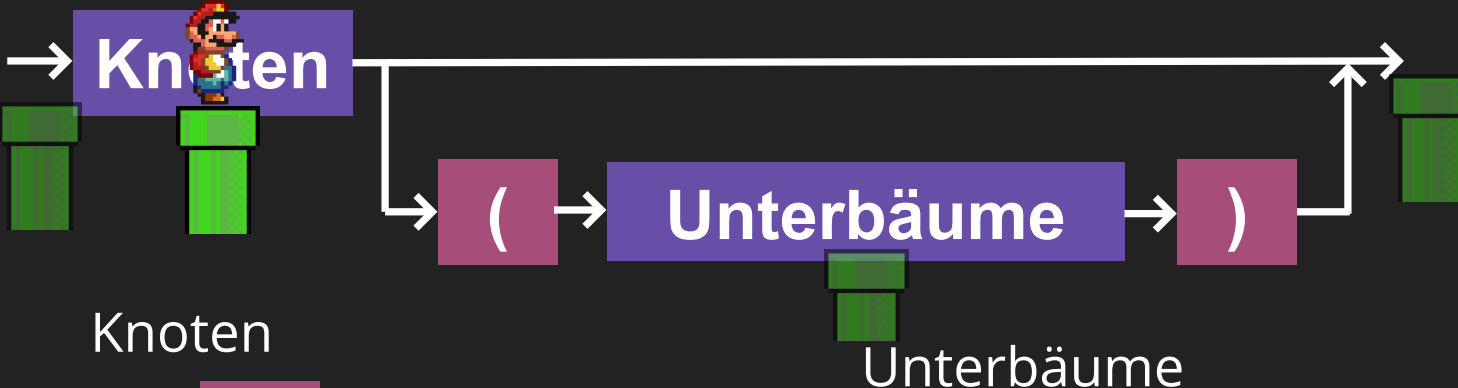
Unterbäume



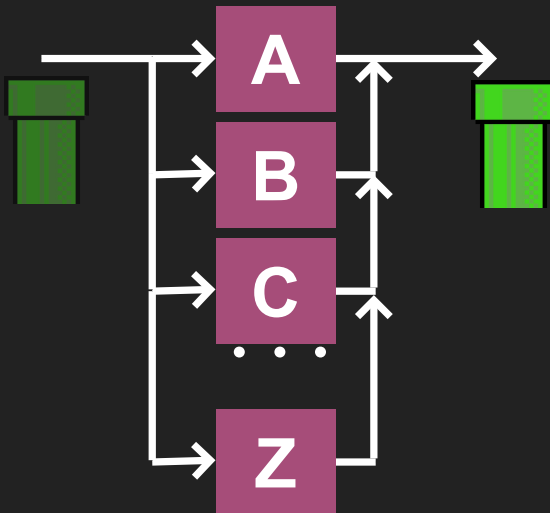
A (B (C , D))

Syntaxdiagramme

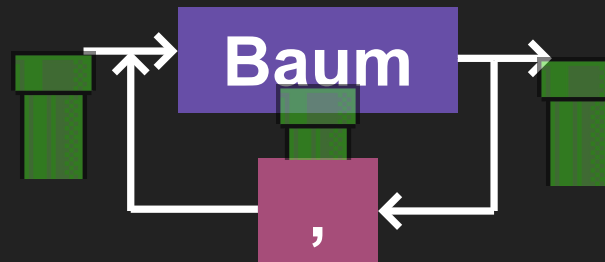
Baum



Knoten



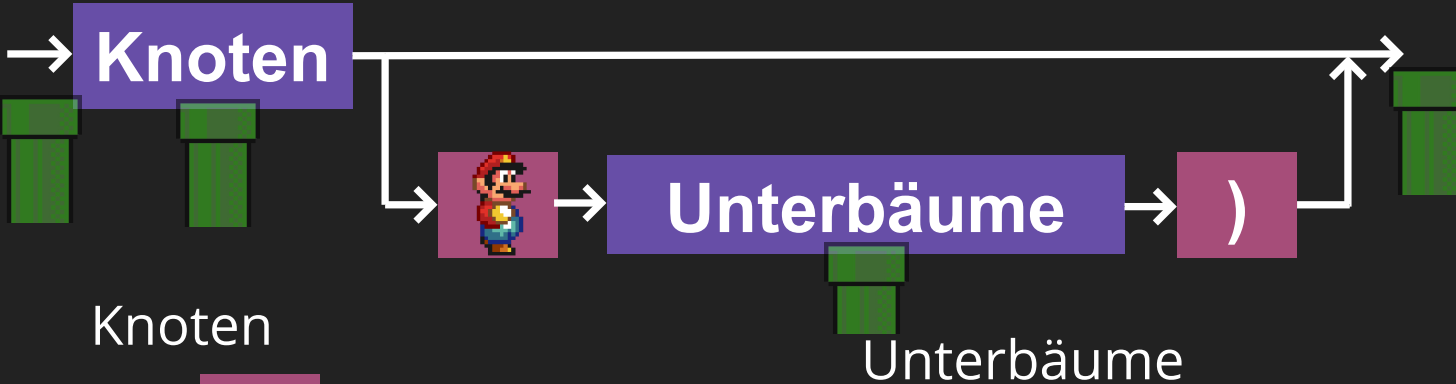
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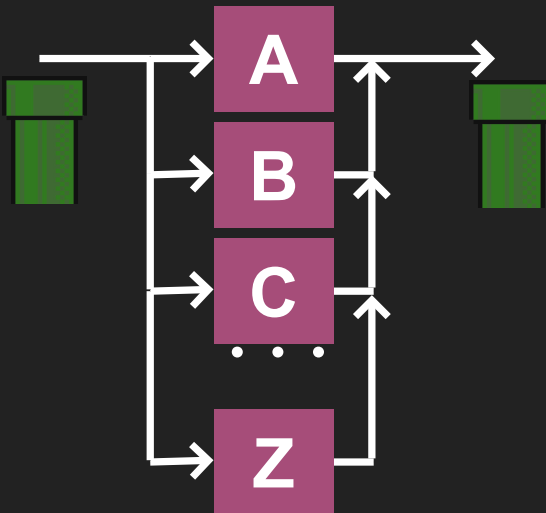
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Syntaxdiagramme

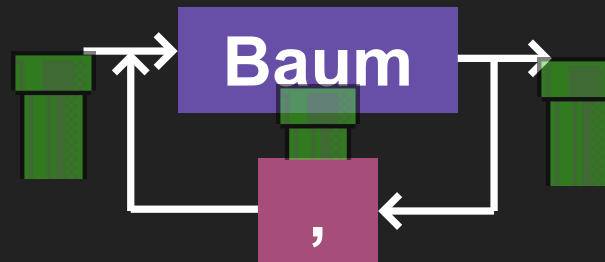
Baum



Knoten



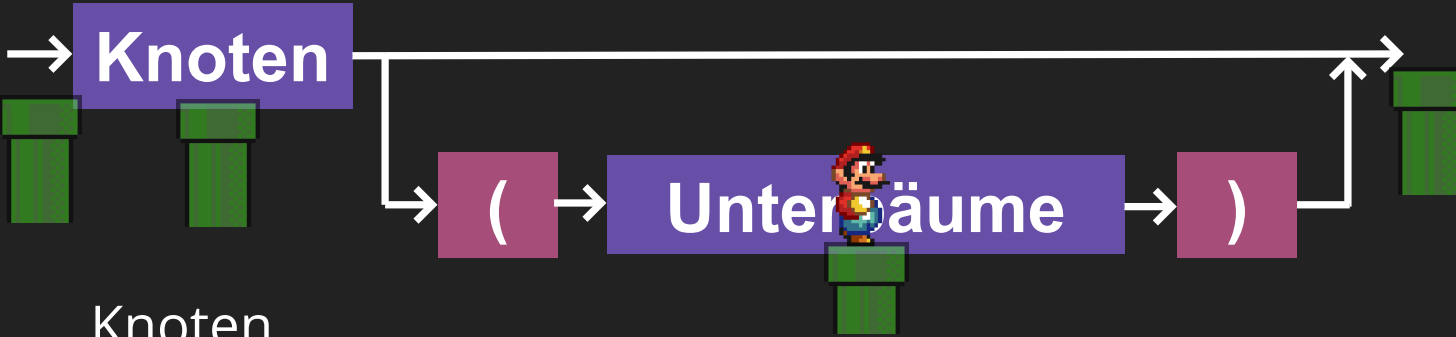
Unterbäume



A (B (C , D))

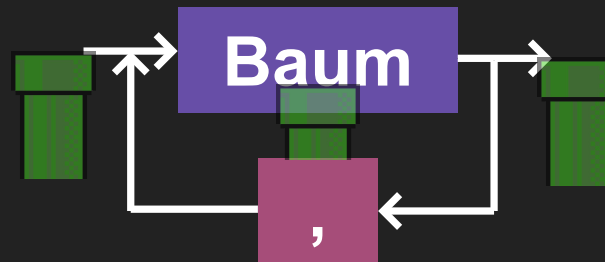
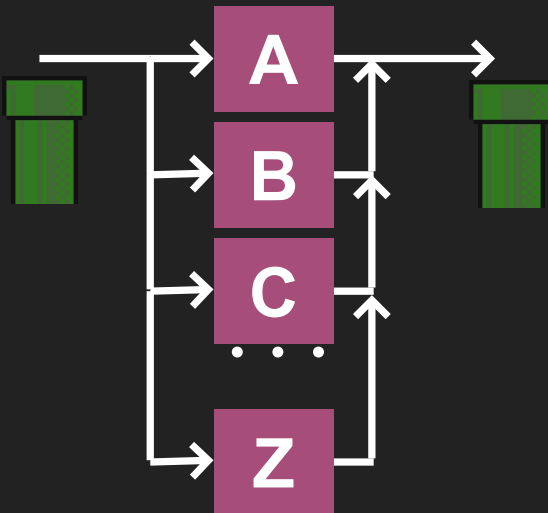
Syntaxdiagramme

Baum



Knoten

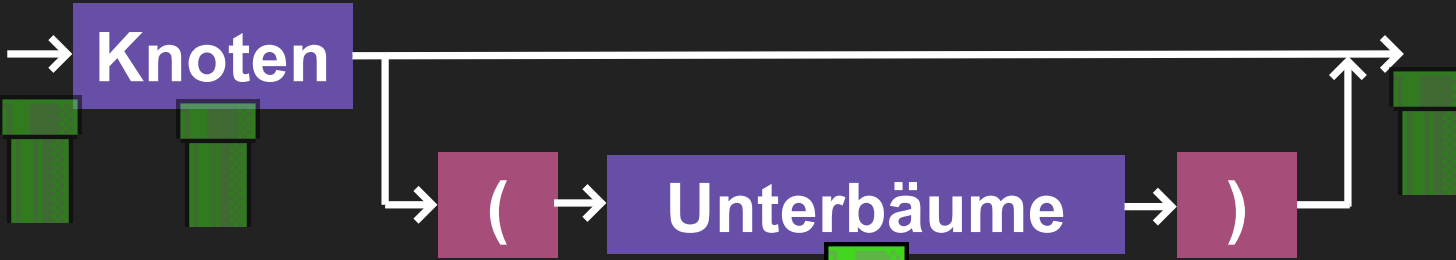
Unteräume



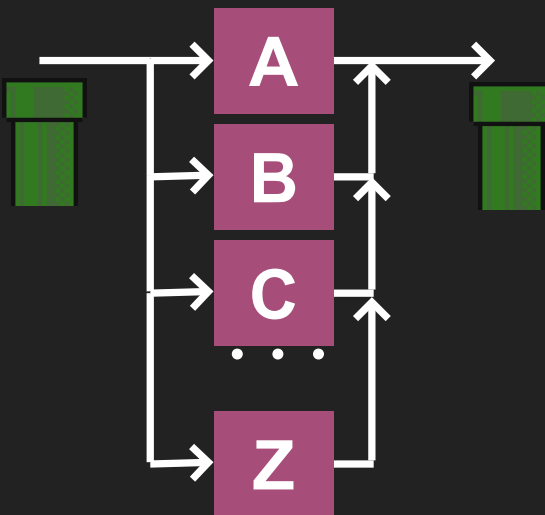
A (B (C , D))

Syntaxdiagramme

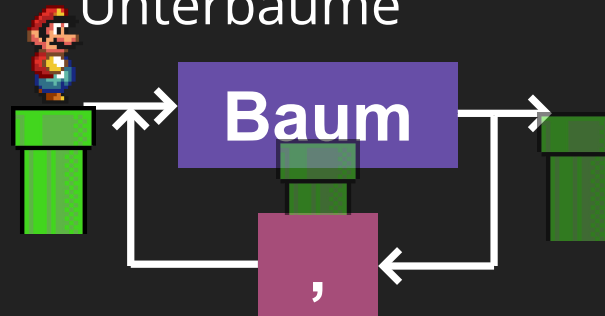
Baum



Knoten



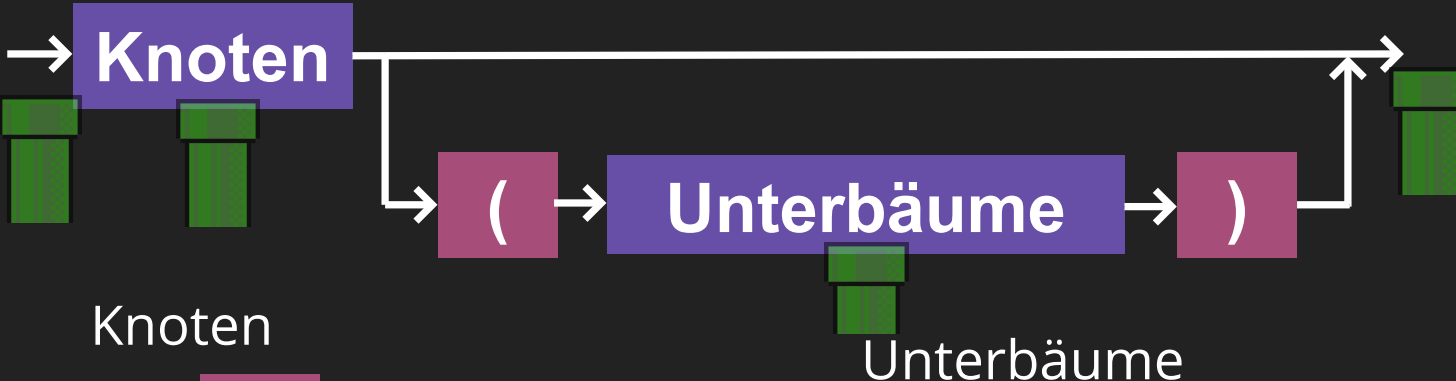
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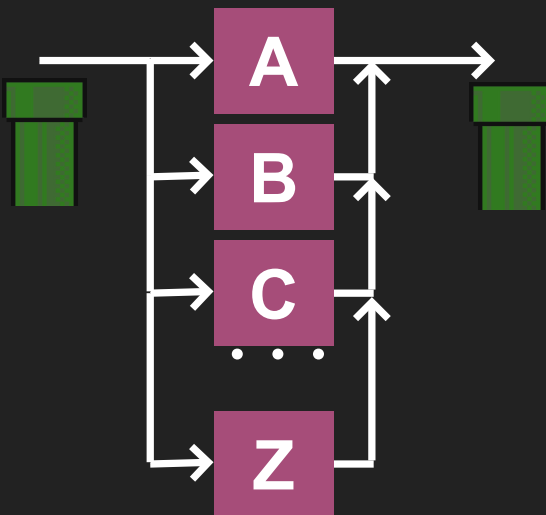
A (B (C , D))

Syntaxdiagramme

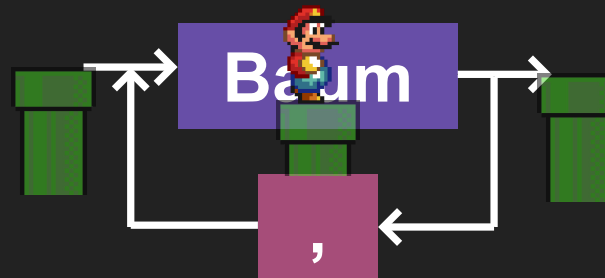
Baum



Knoten

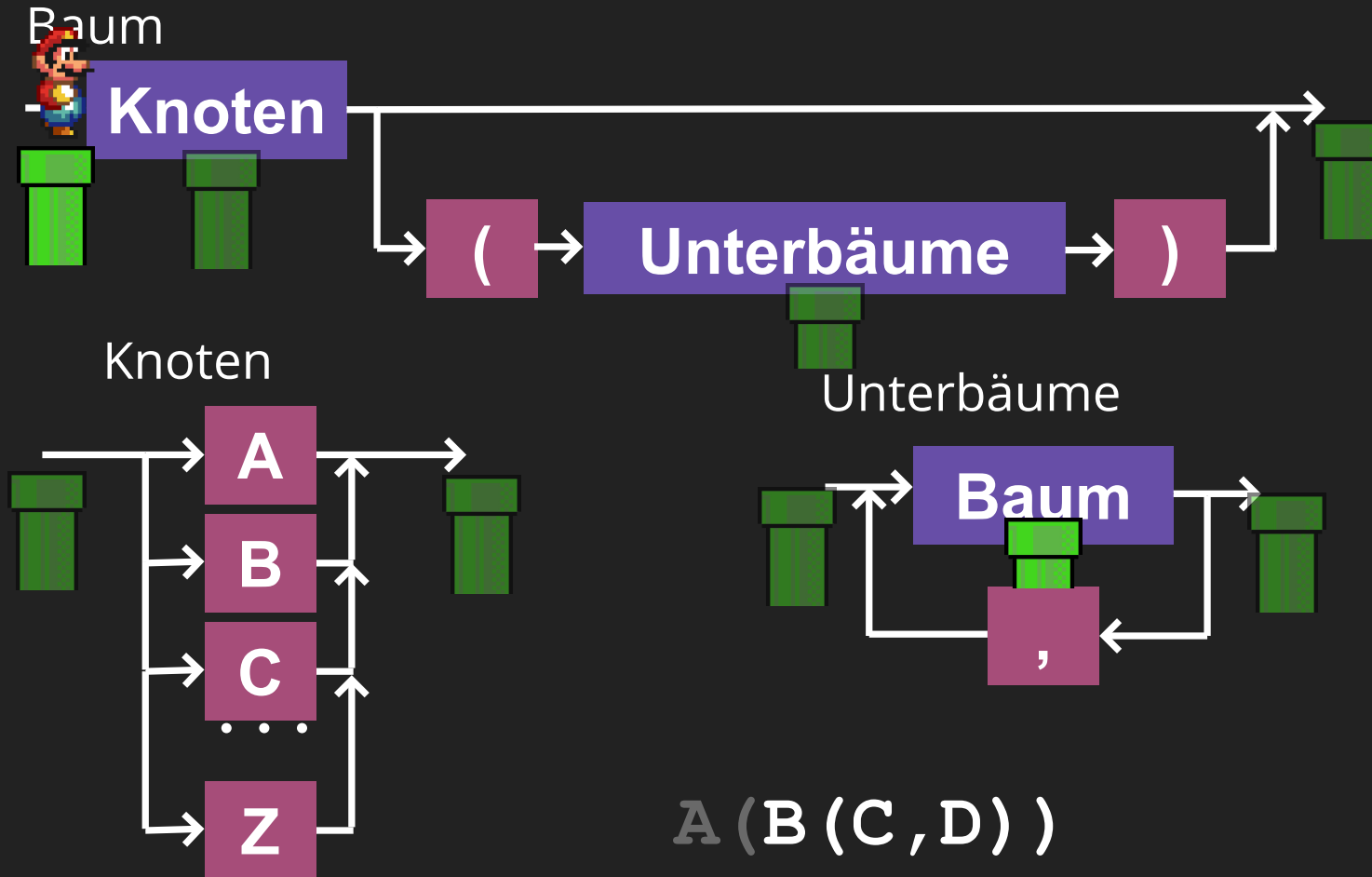


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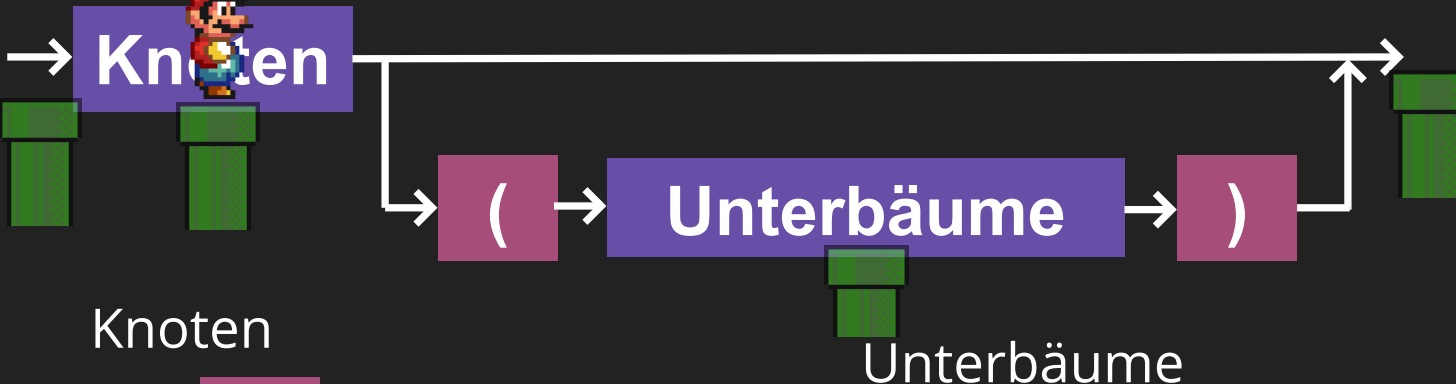
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Syntaxdiagramme

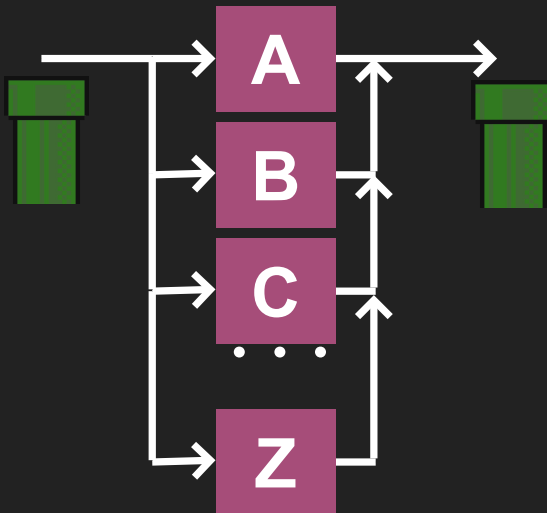


Syntaxdiagramme

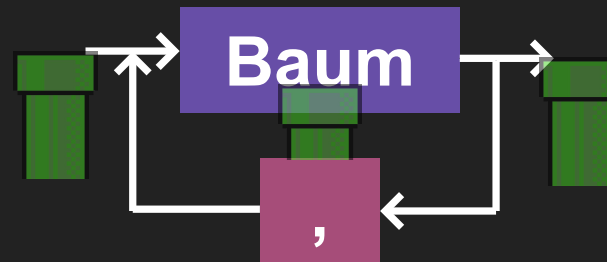
Baum



Knoten



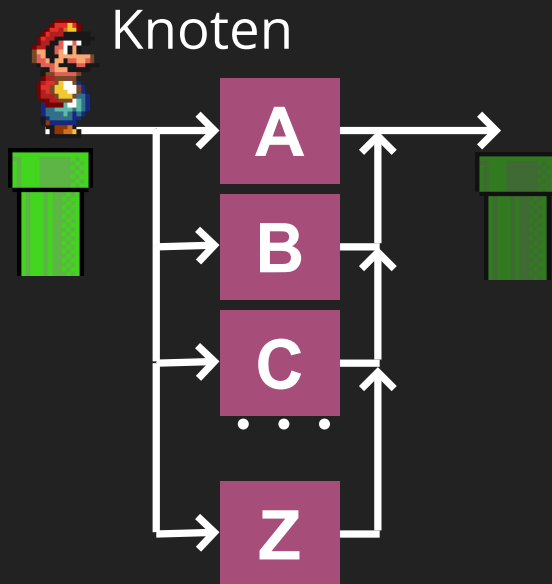
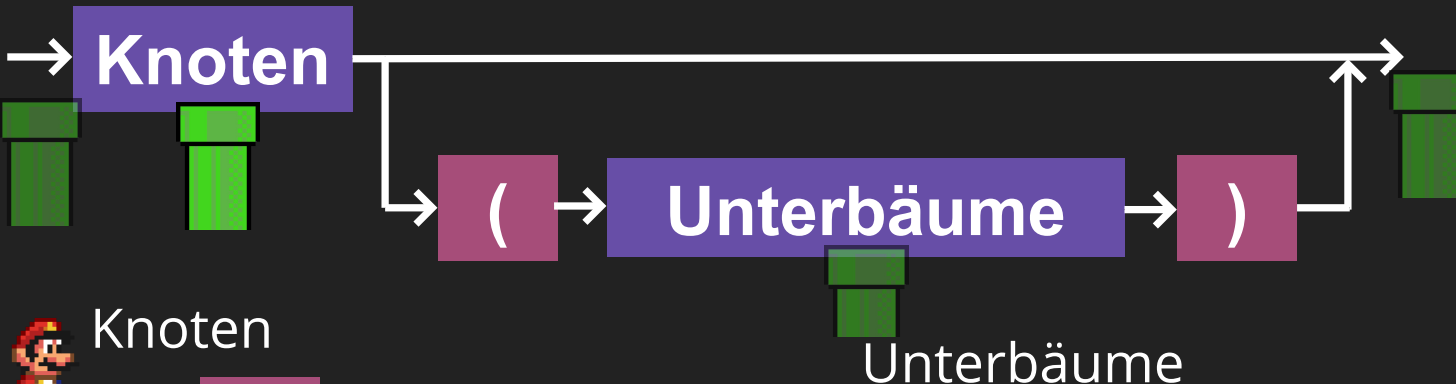
Unterbäume



A (B (C , D))

Syntaxdiagramme

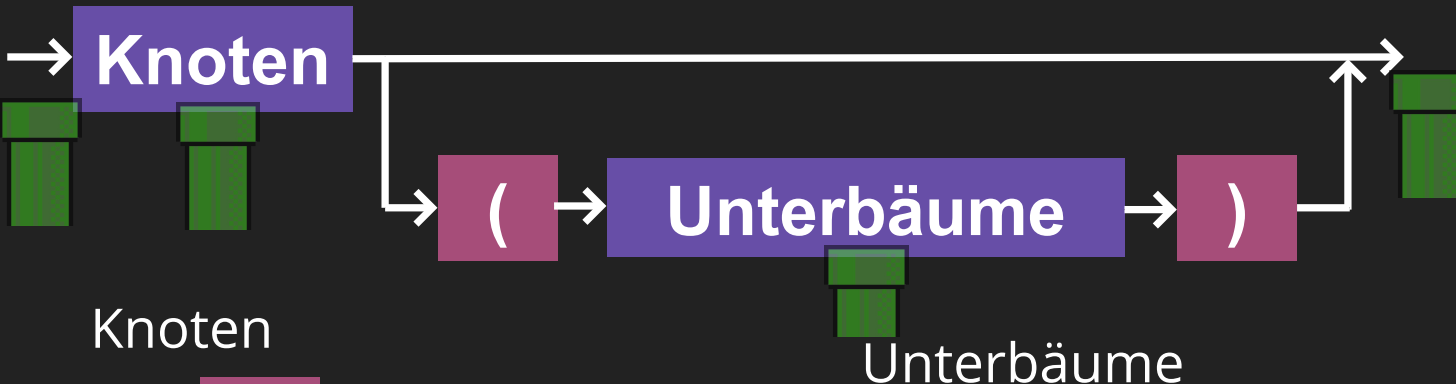
Baum



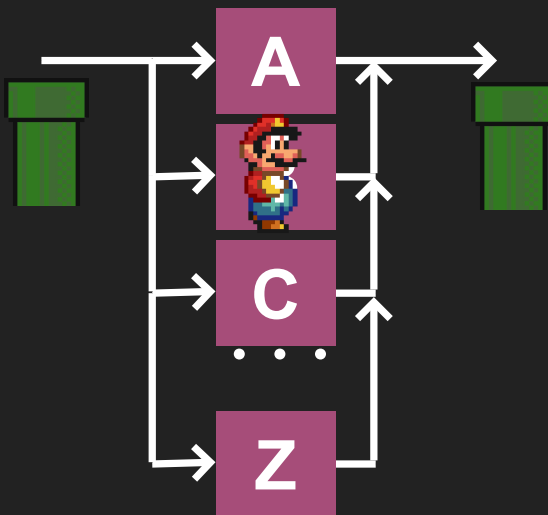
A (B (C , D))

Syntaxdiagramme

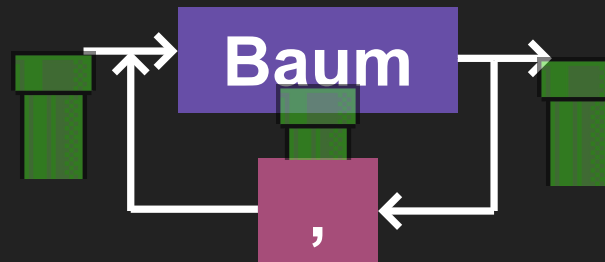
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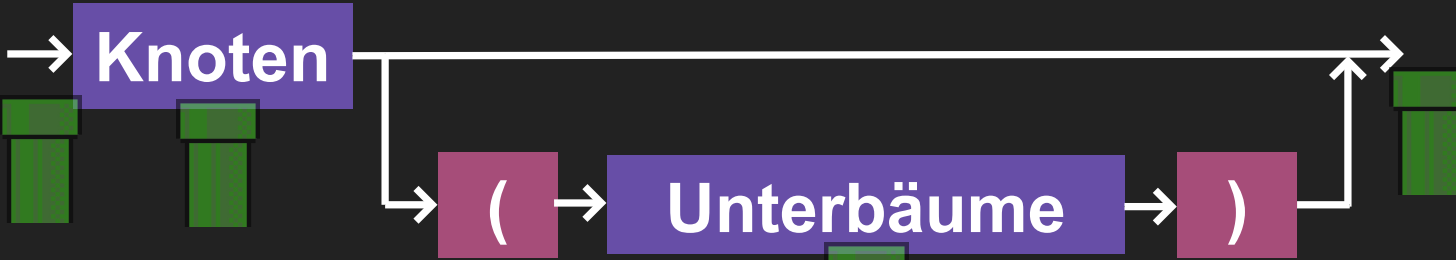
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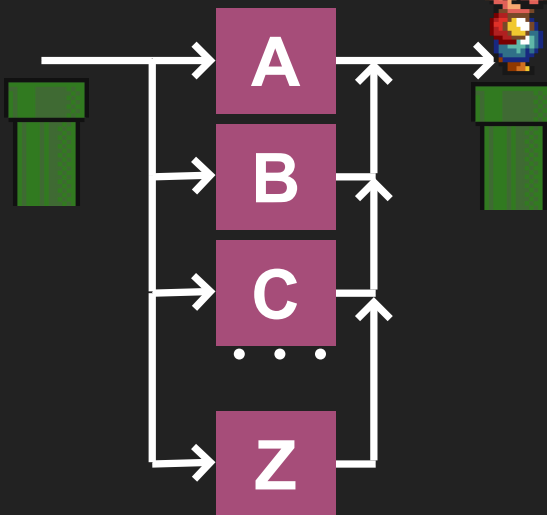
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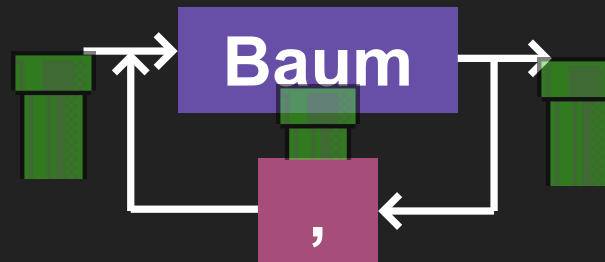
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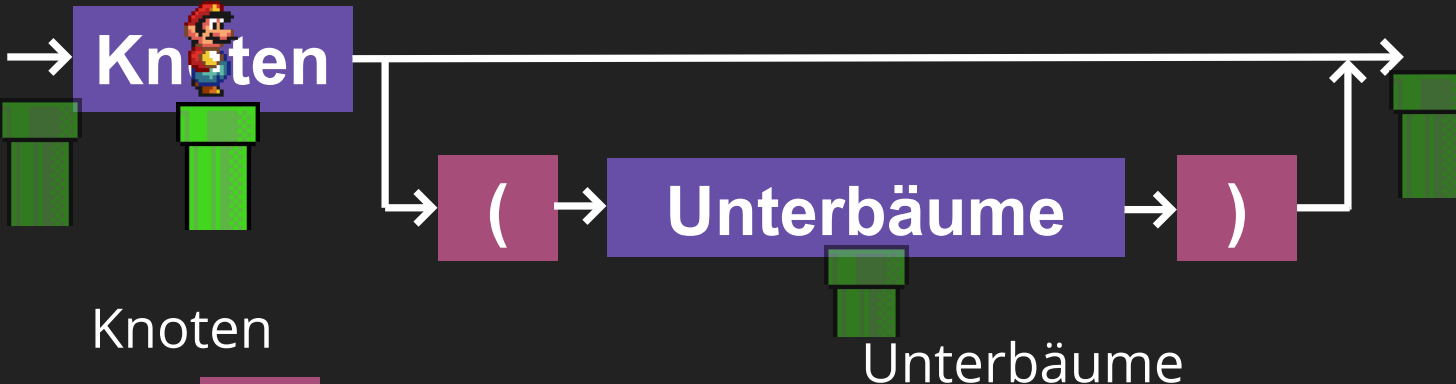
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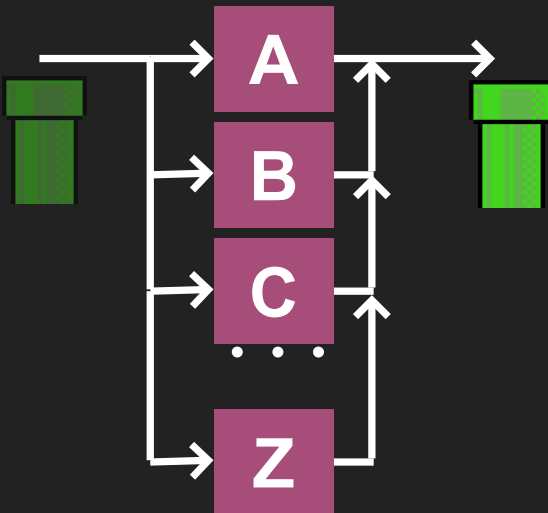
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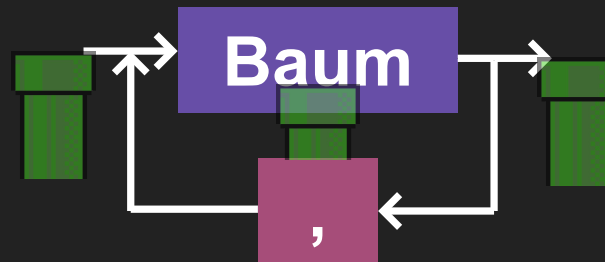
Baum



Knoten



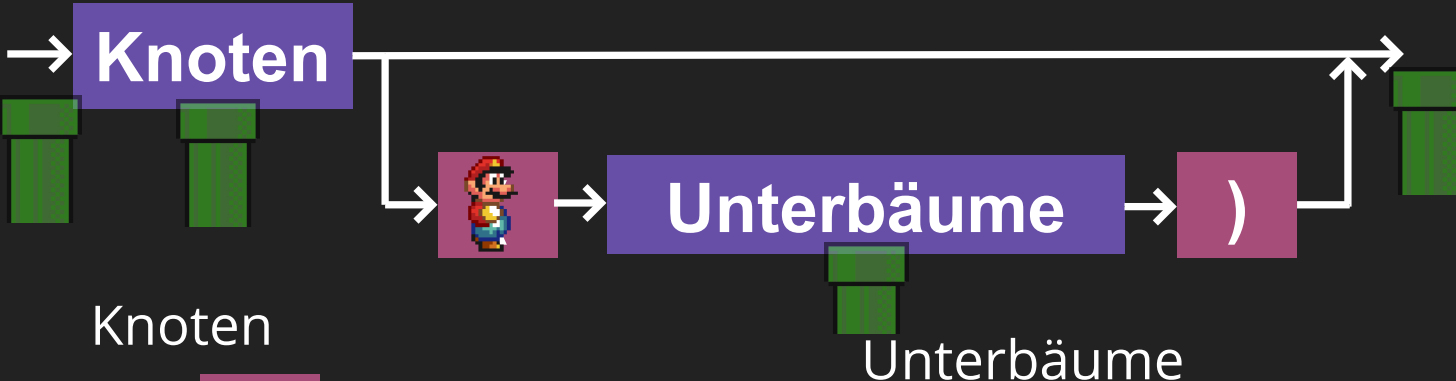
Unterbäume



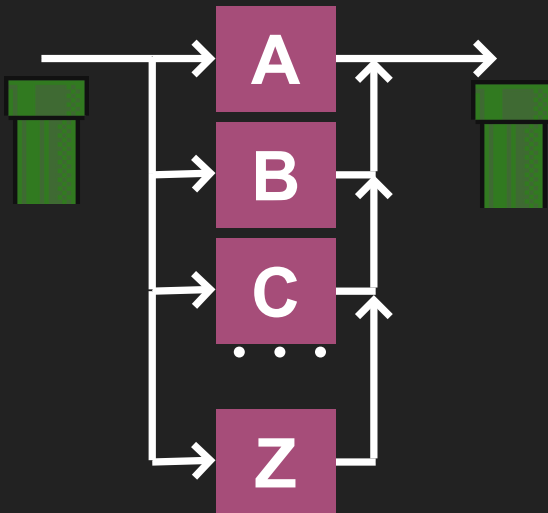
A (B (C ,D))

Syntaxdiagramme

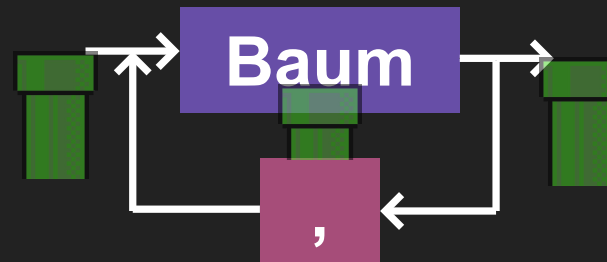
Baum



Knoten



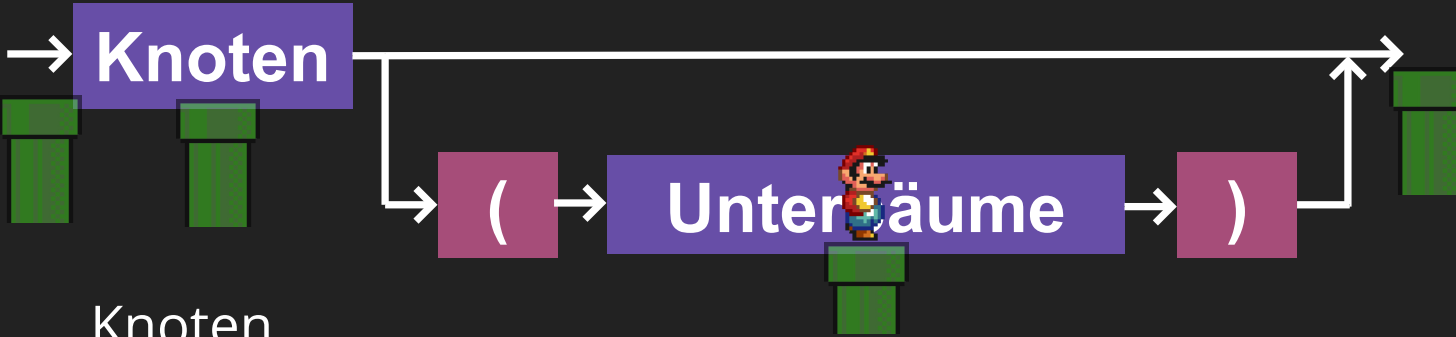
Unterbäume



A (B (C ,D))

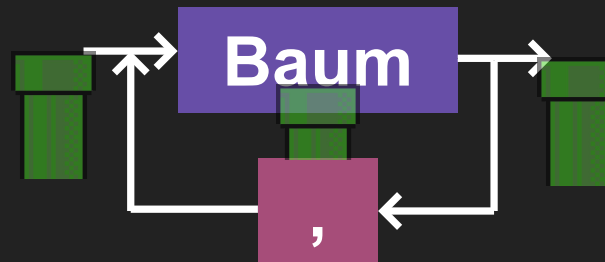
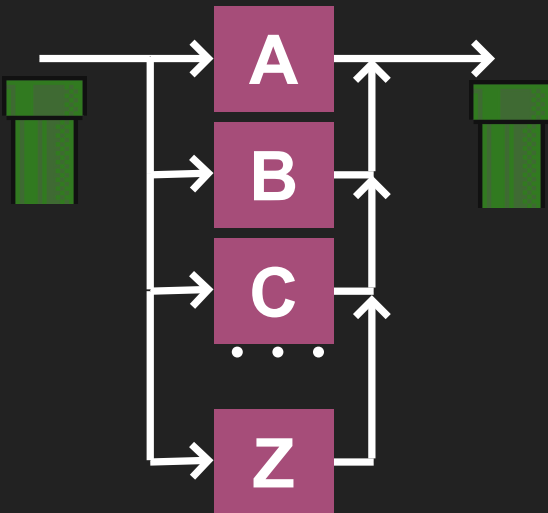
Syntaxdiagramme

Baum



Knoten

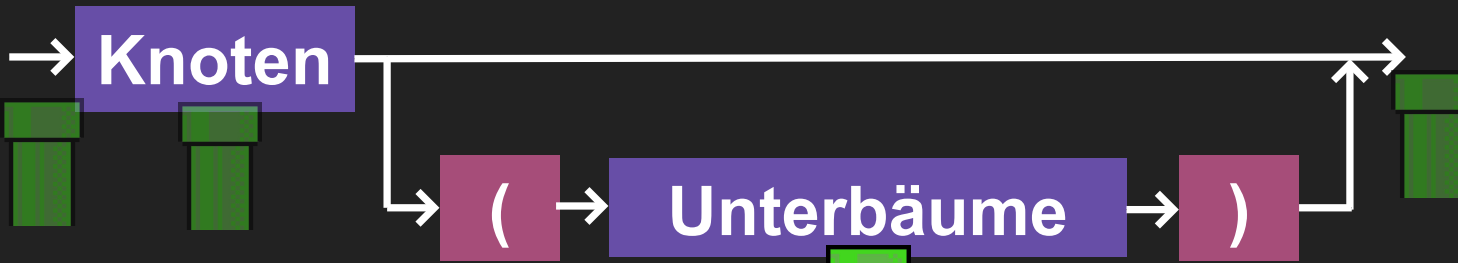
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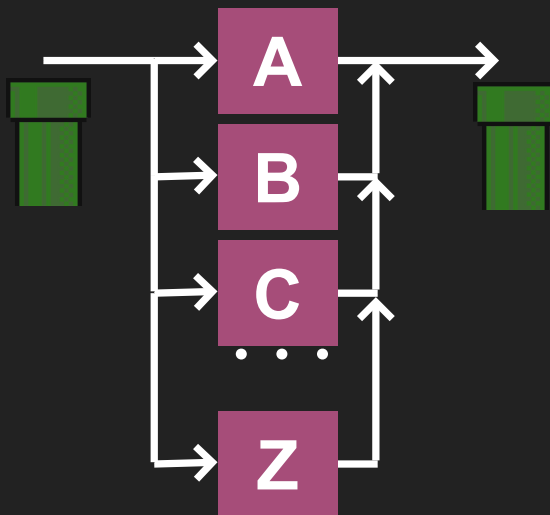
A (B (C ,D))

Syntaxdiagramme

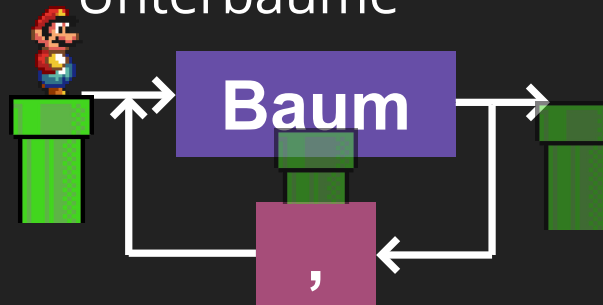
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Knoten



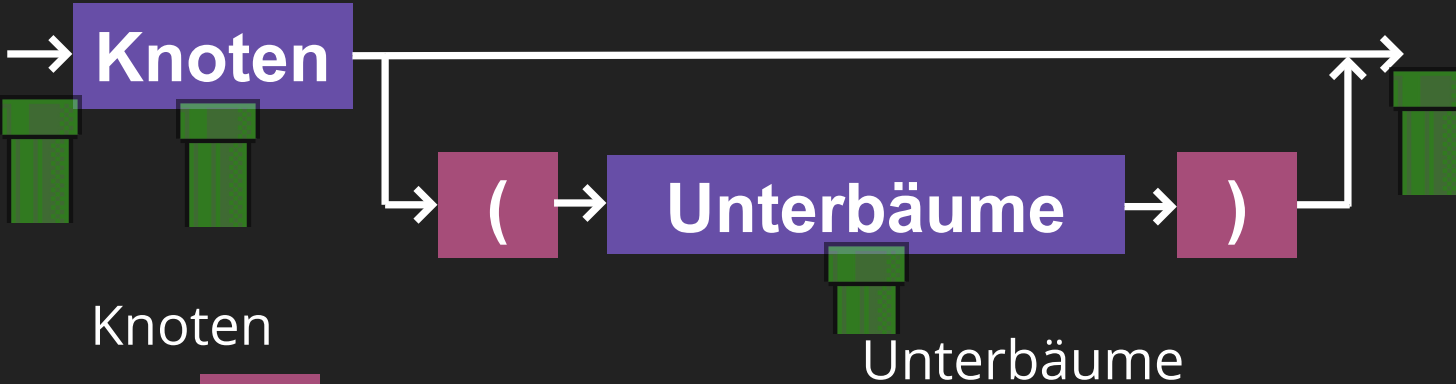
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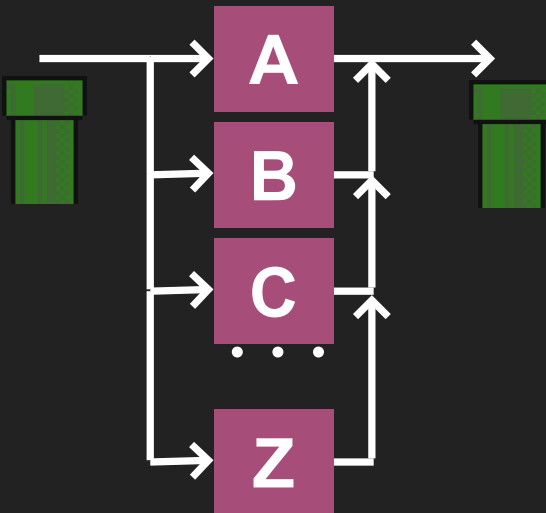
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Syntaxdiagramme

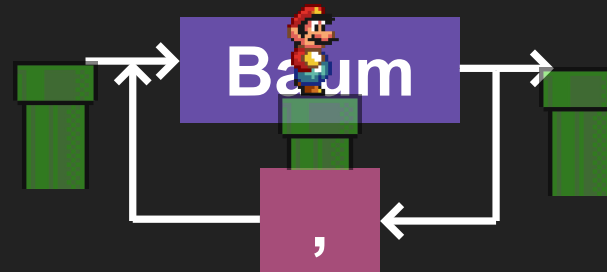
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Knoten



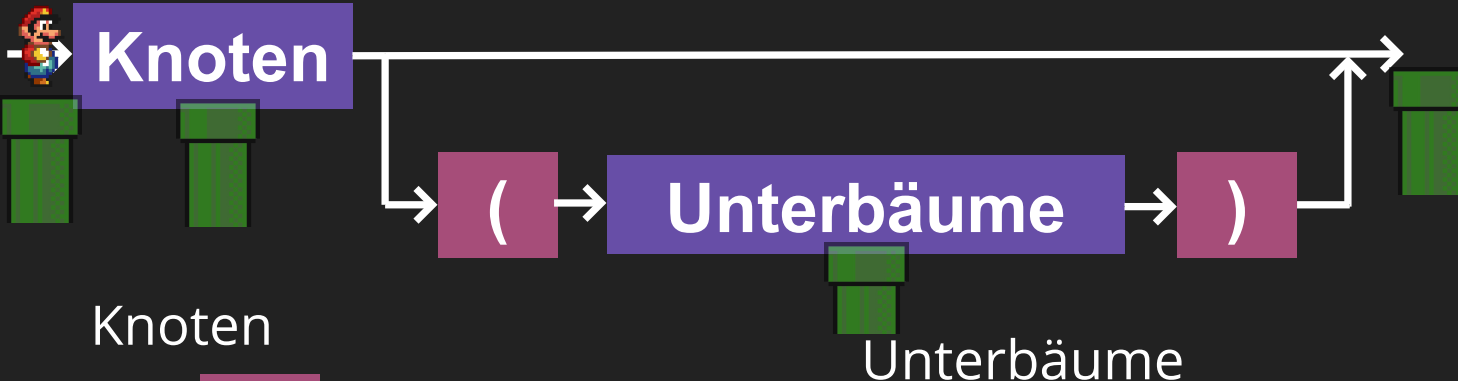
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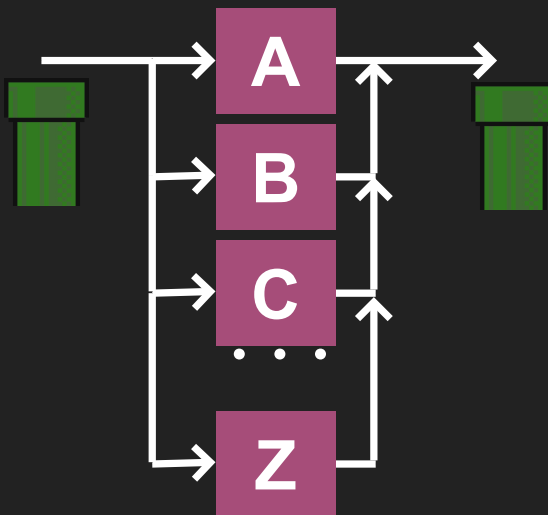
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Syntaxdiagramme

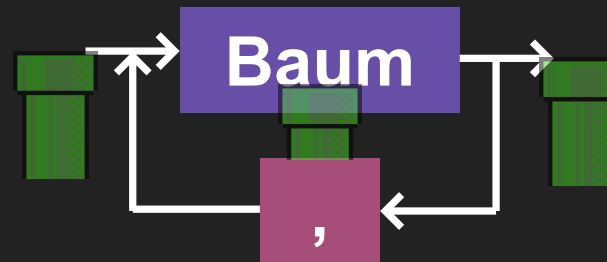
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Knoten



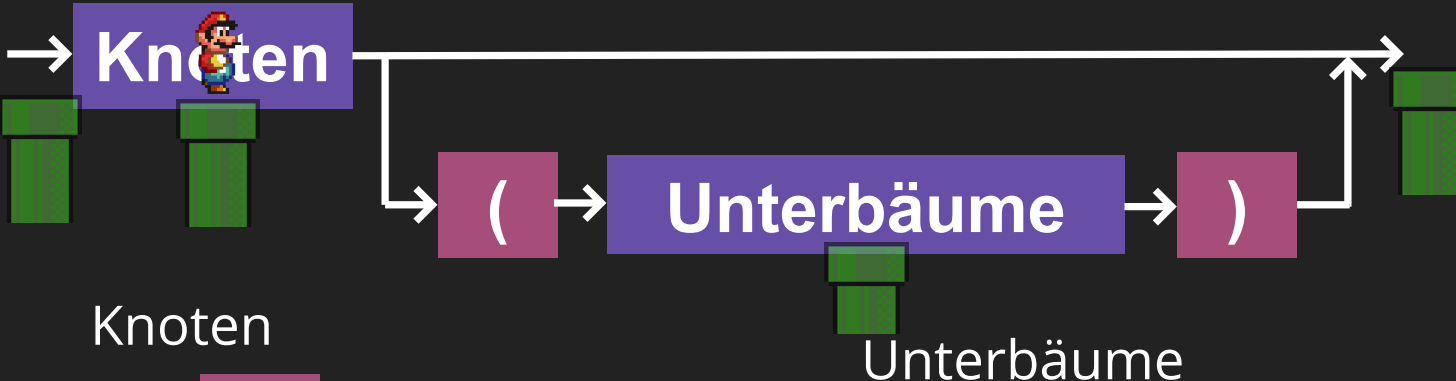
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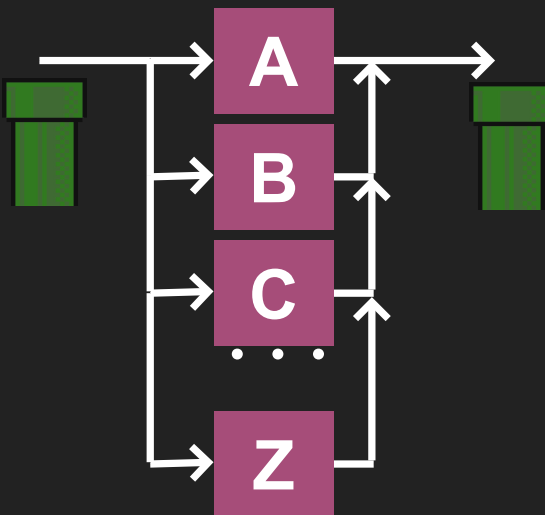
Syntaxdiagramme

Baum



Knoten

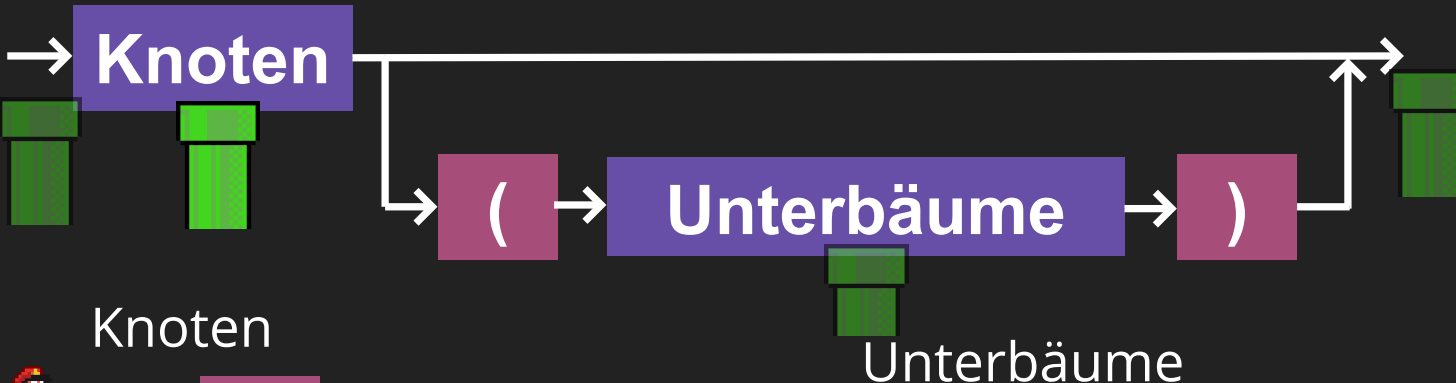
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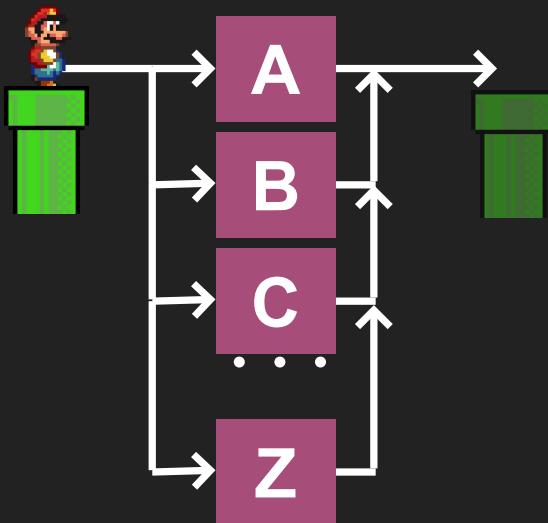
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Syntaxdiagramme

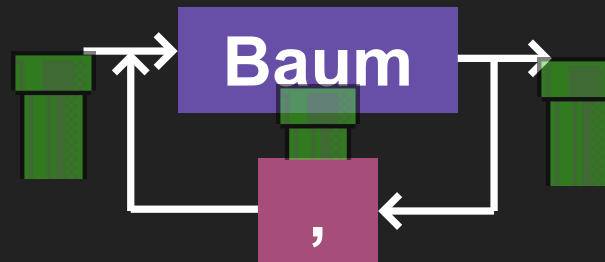
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Knoten



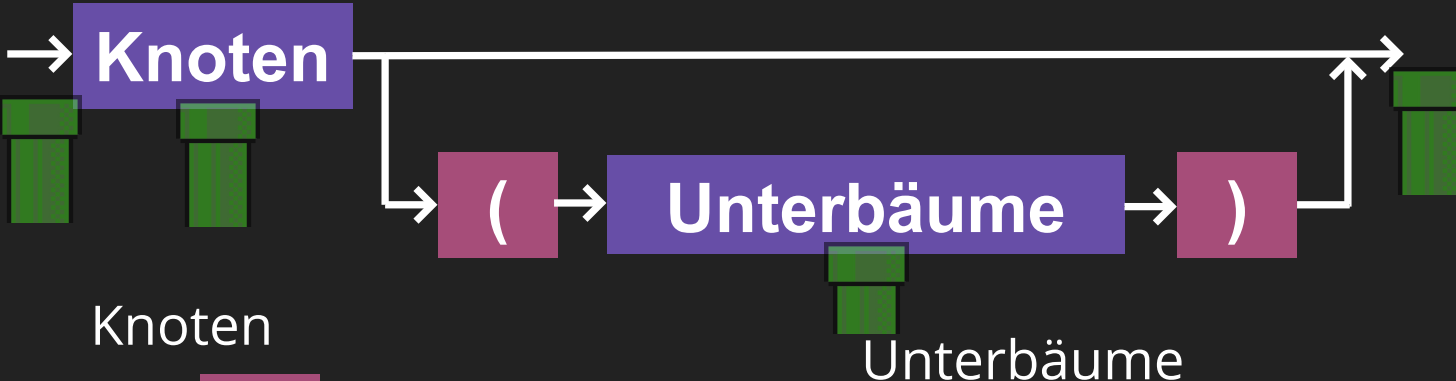
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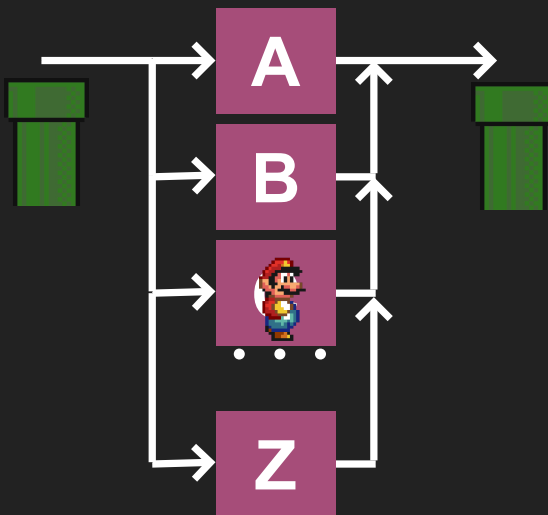
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Syntaxdiagramme

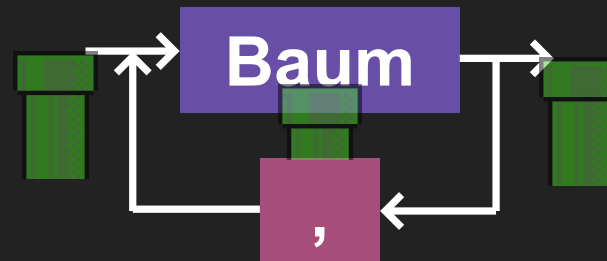
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Knoten



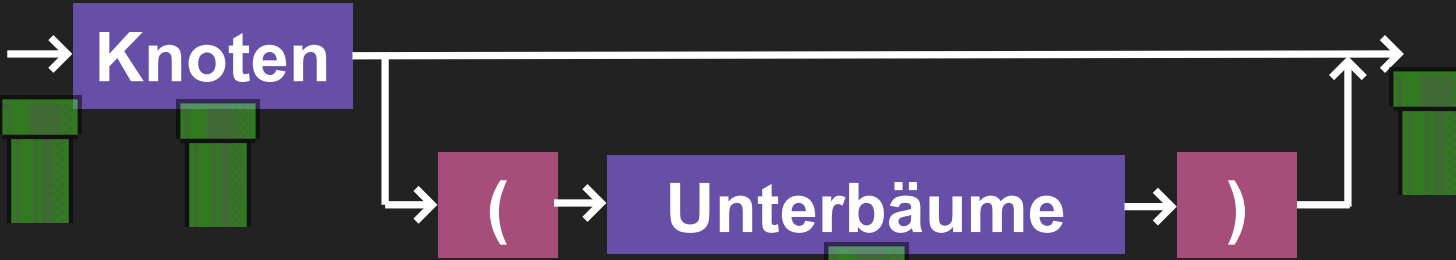
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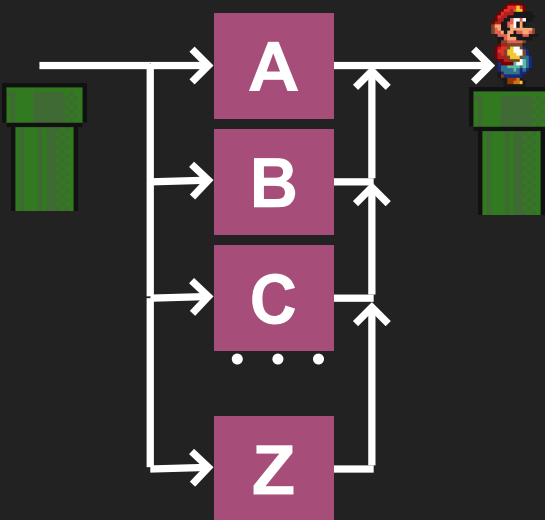
A (B (C , D))

Syntaxdiagramme

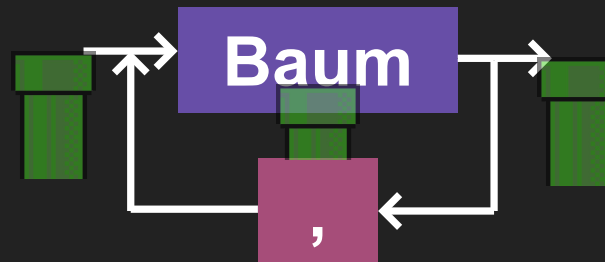
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Knoten



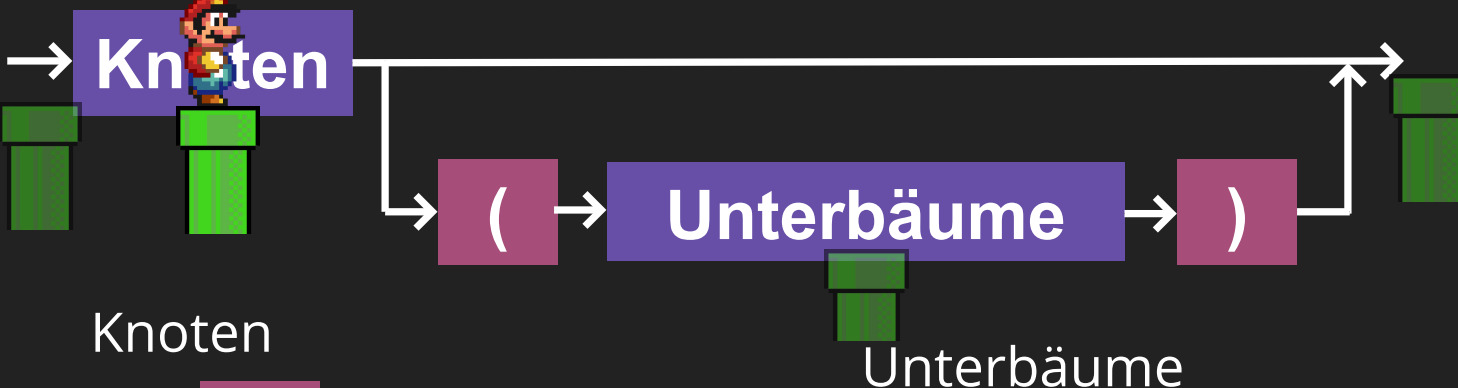
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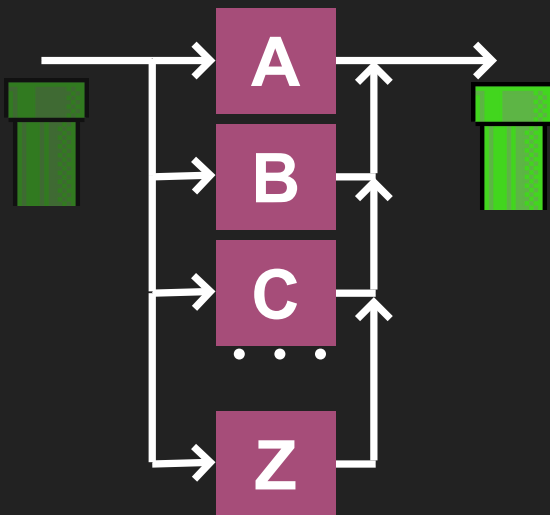
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Syntaxdiagramme

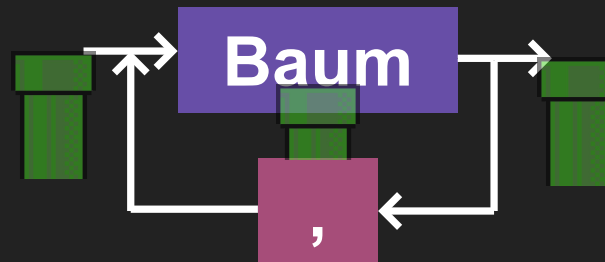
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Knoten

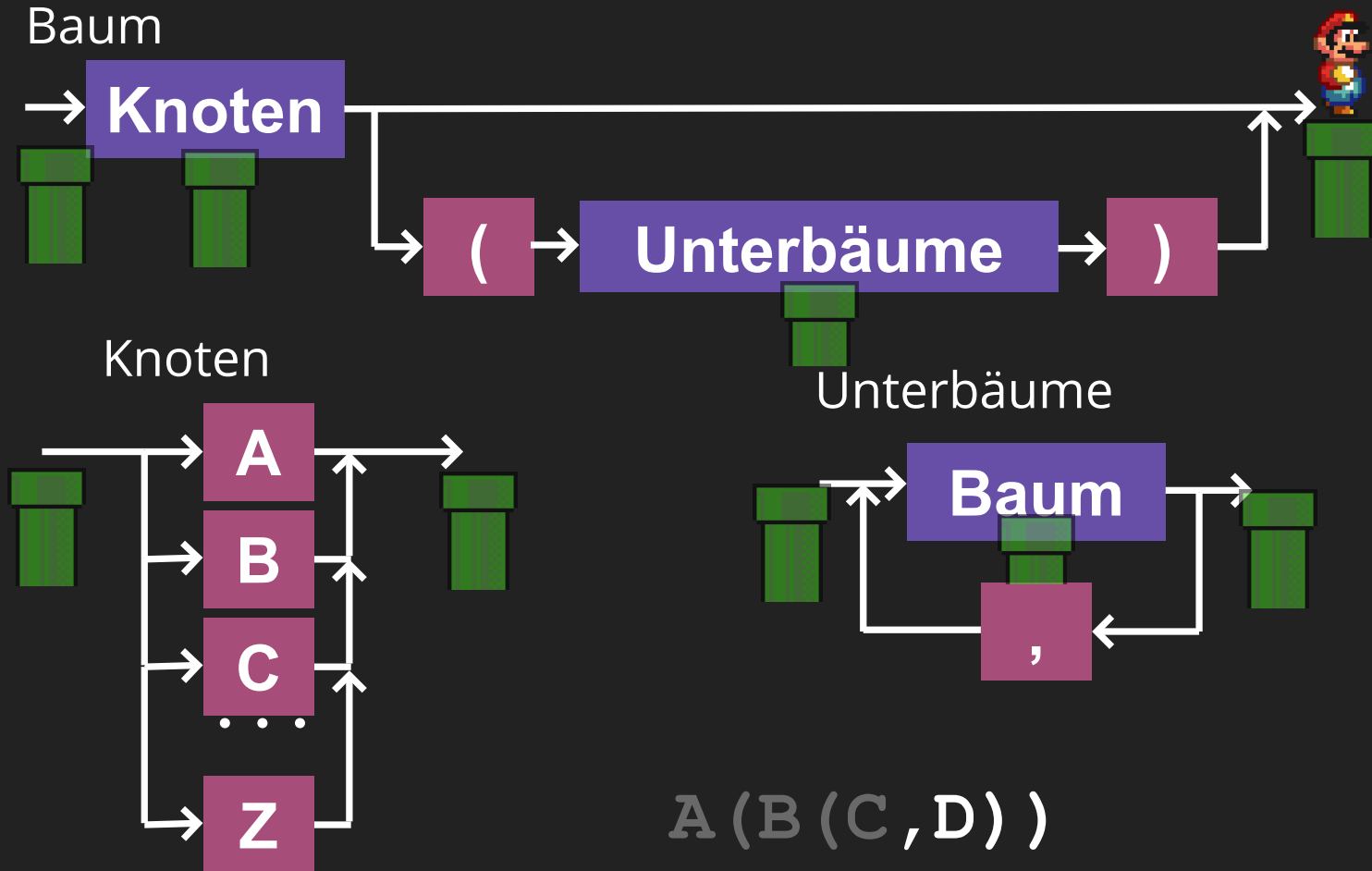


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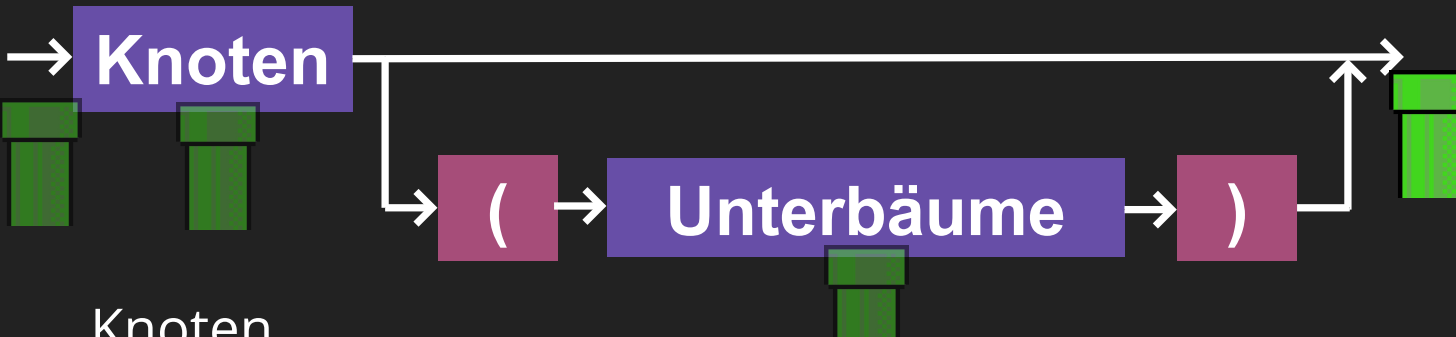
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Syntaxdiagramme



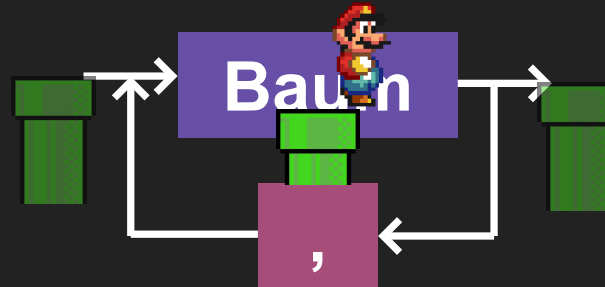
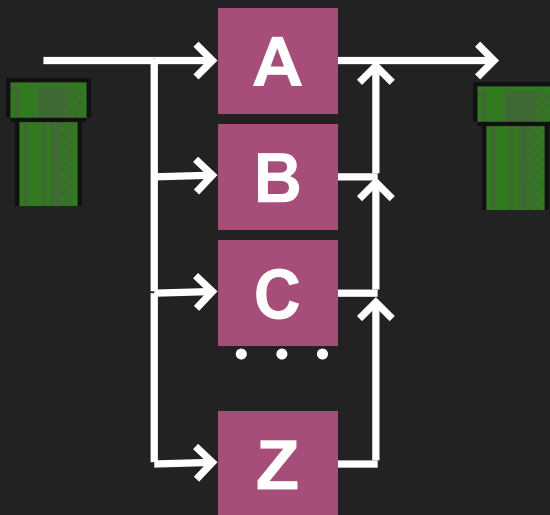
Syntaxdiagramme

Baum



Knoten

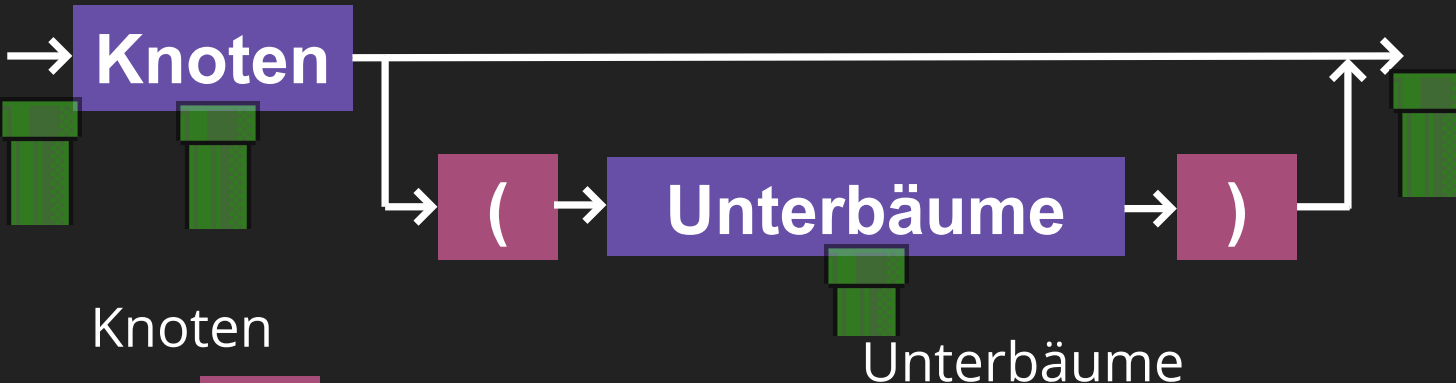
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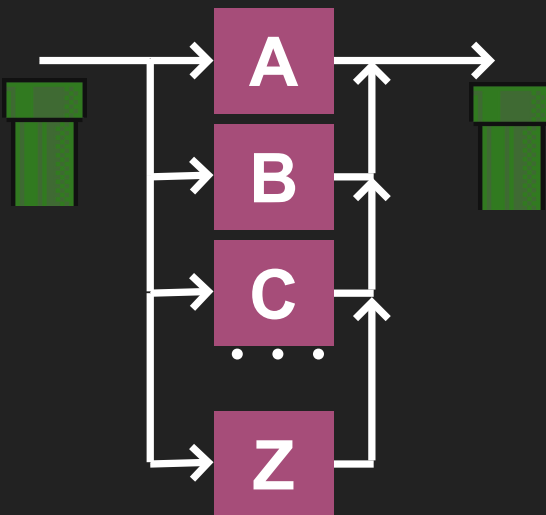
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Syntaxdiagramme

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Knoten



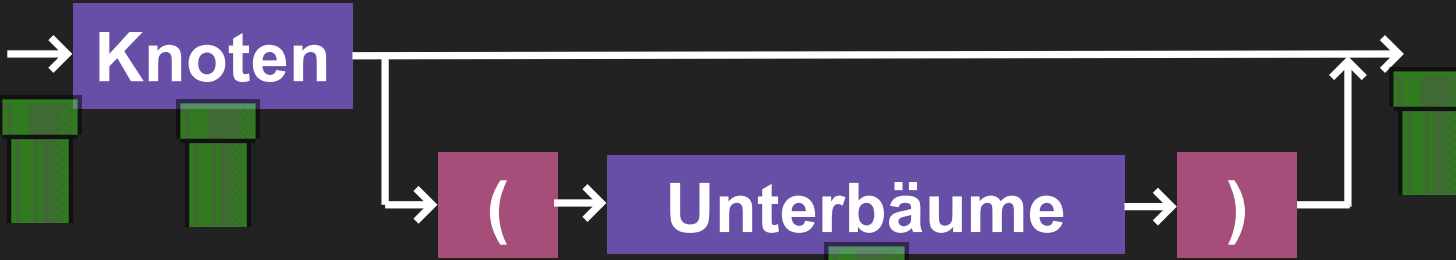
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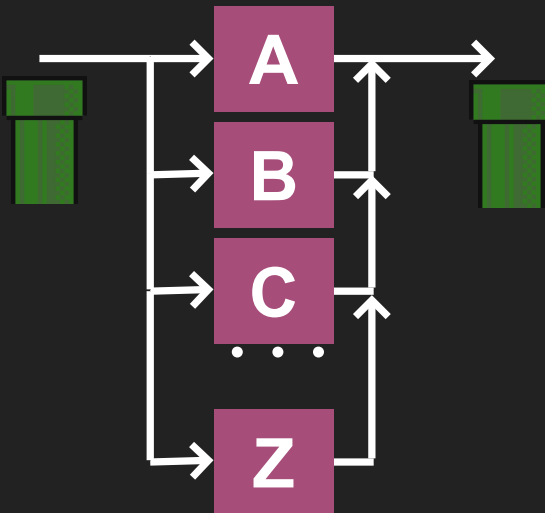
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Syntaxdiagramme

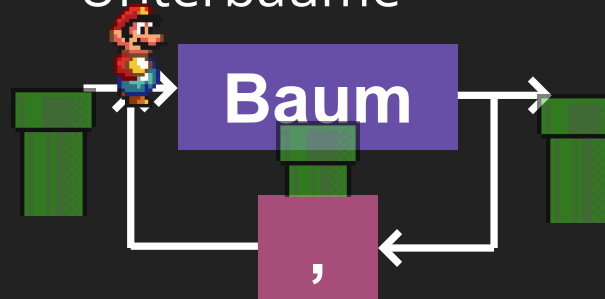
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Knoten



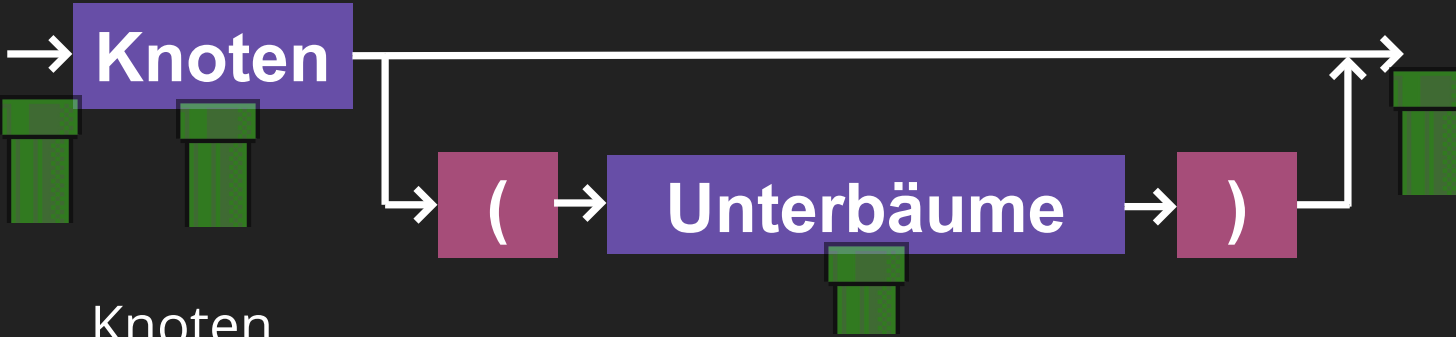
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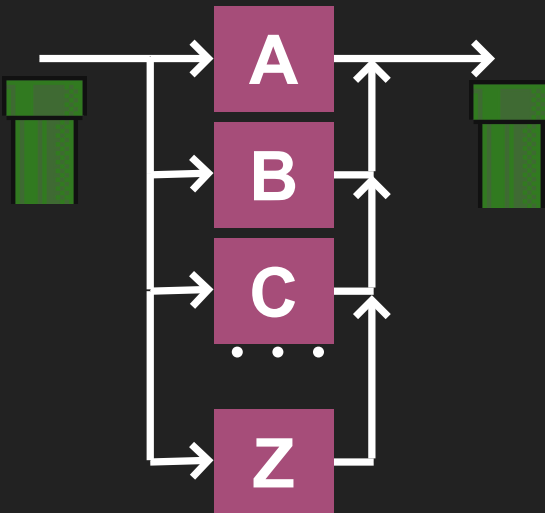
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Syntaxdiagramme

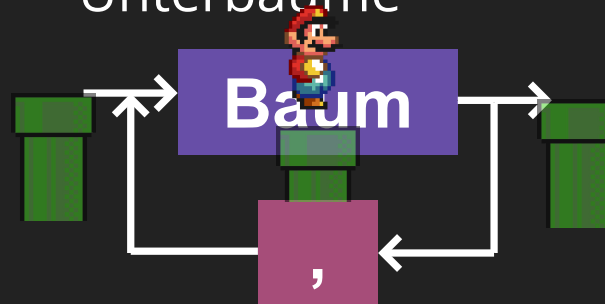
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Knoten

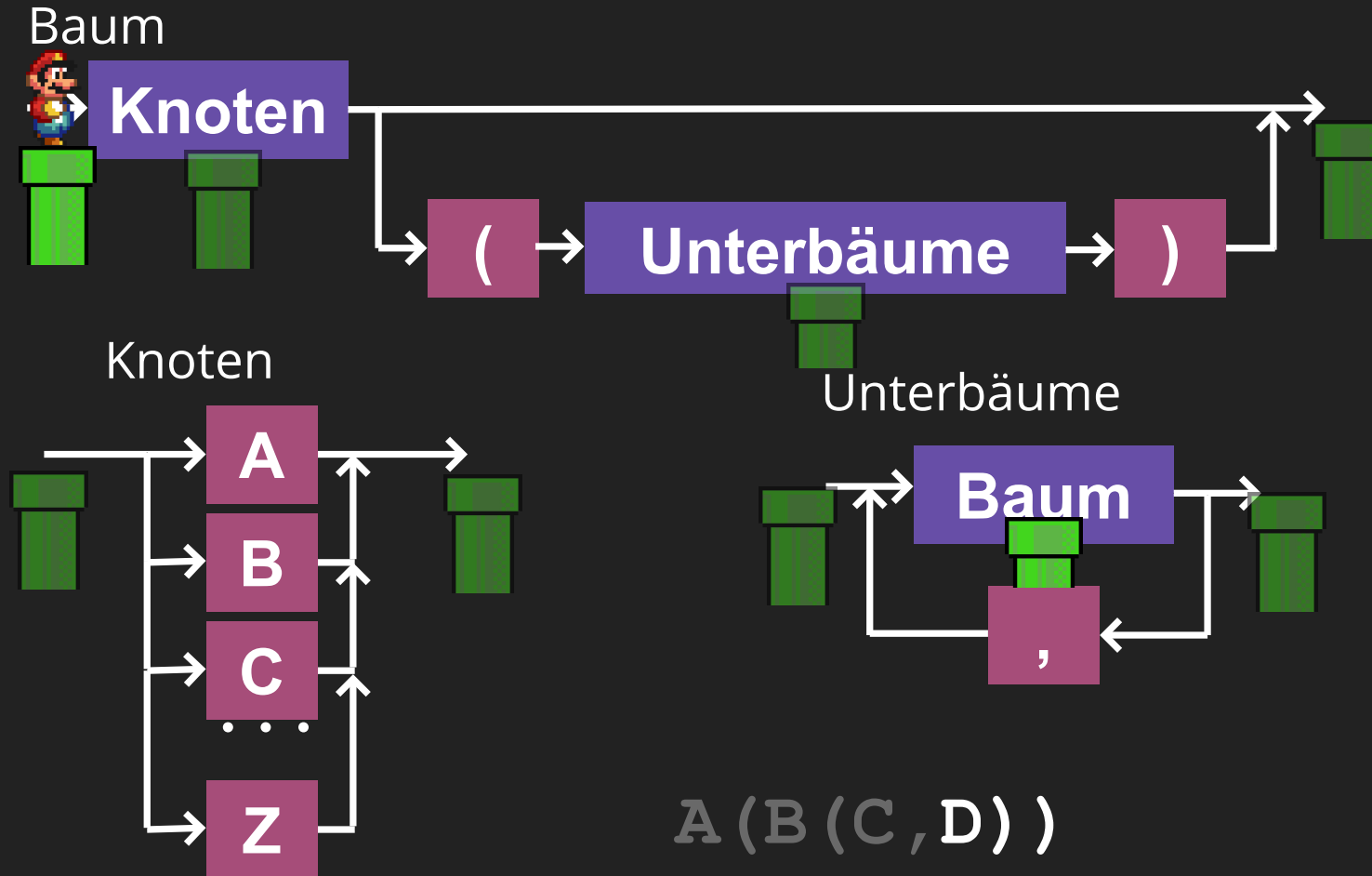


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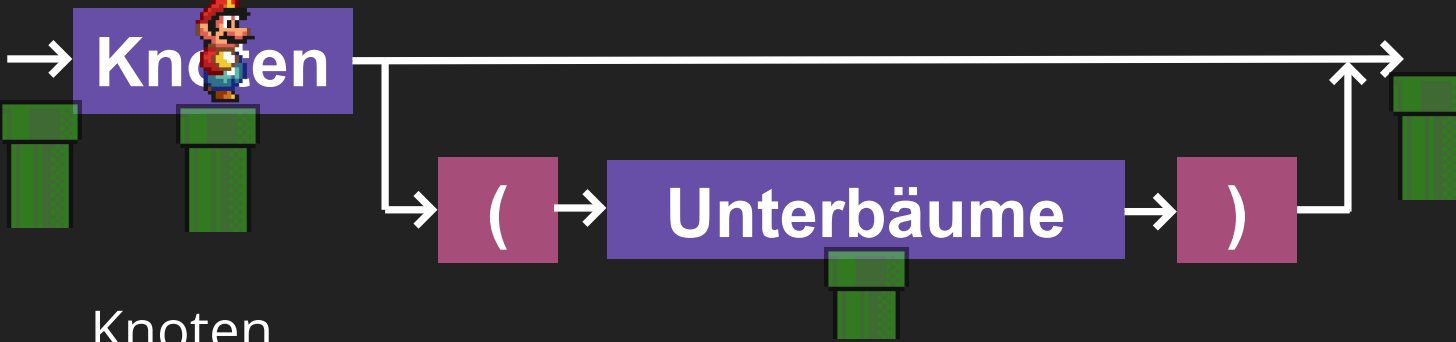
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Syntaxdiagramme



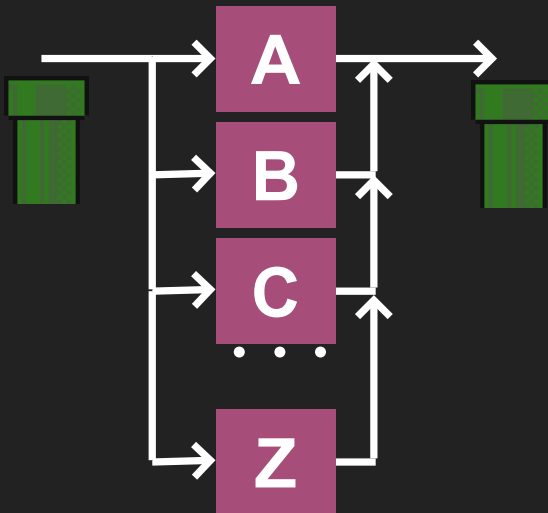
Syntaxdiagramme

Baum



Knoten

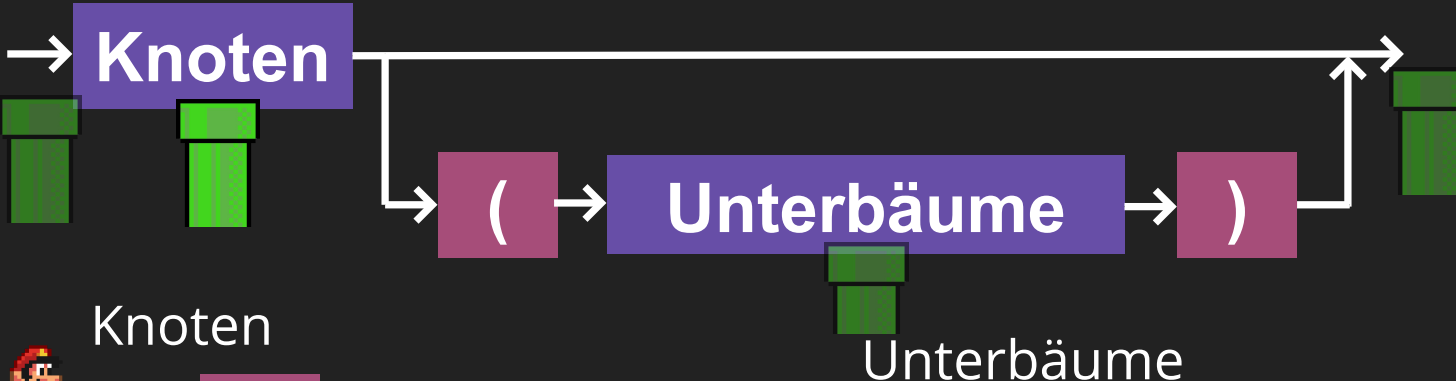
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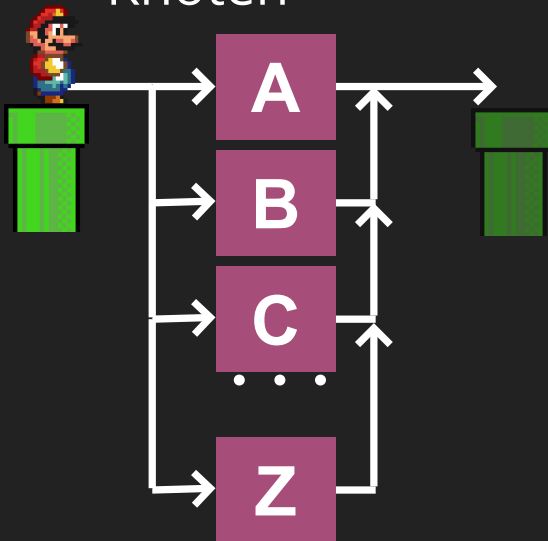
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Syntaxdiagramme

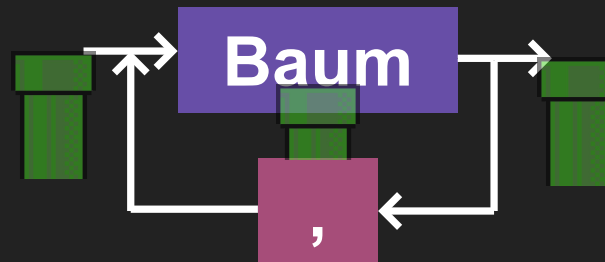
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Knoten



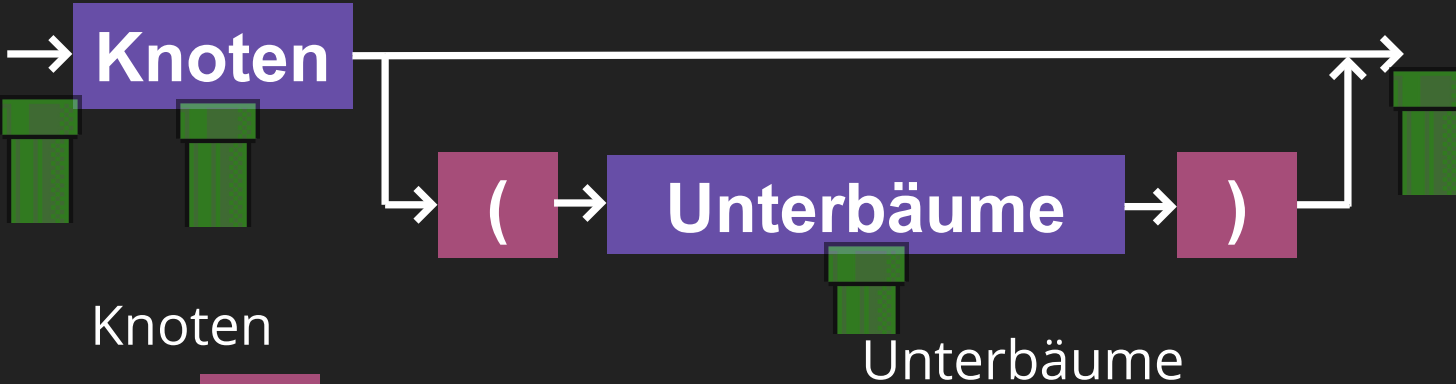
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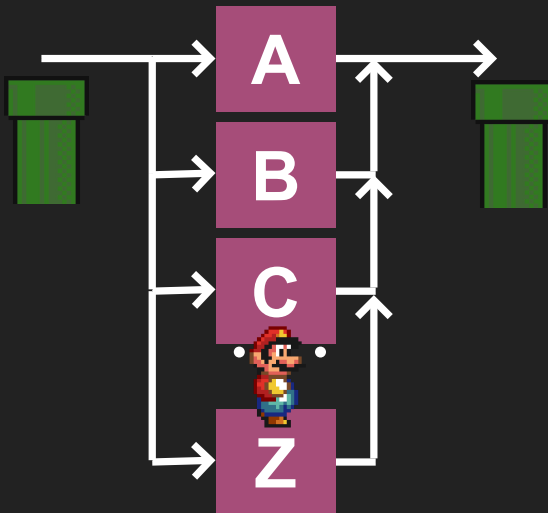
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Syntaxdiagramme

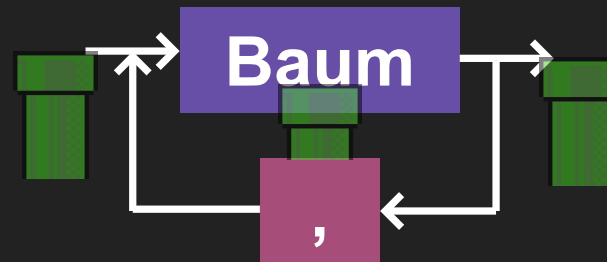
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Knoten



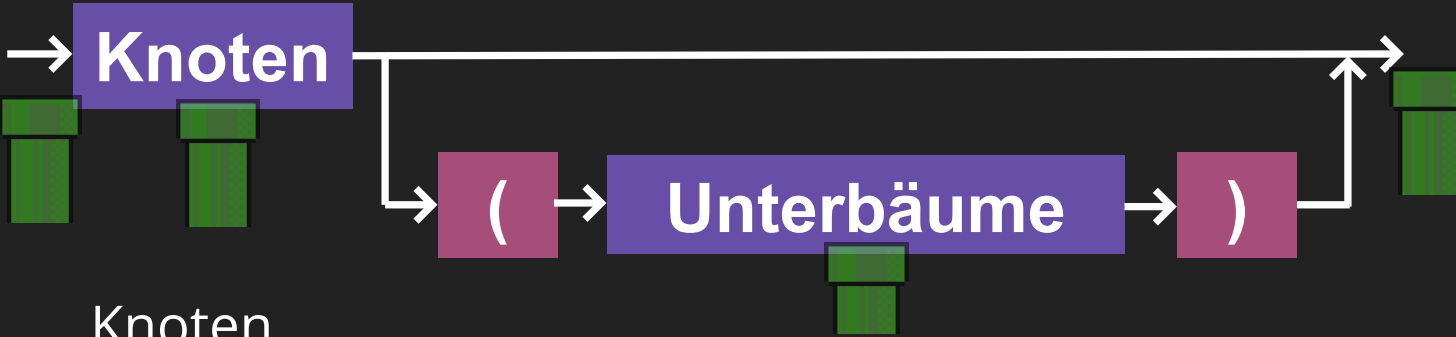
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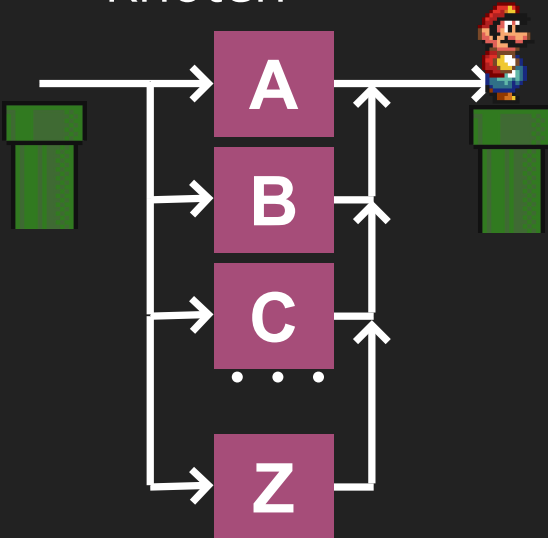
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Syntaxdiagramme

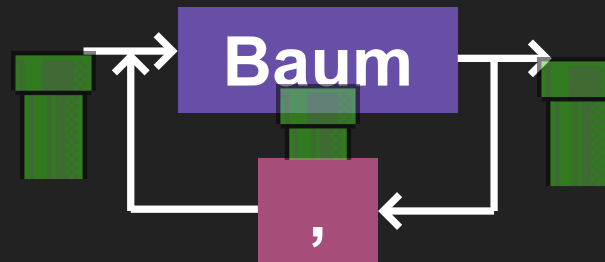
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Knoten



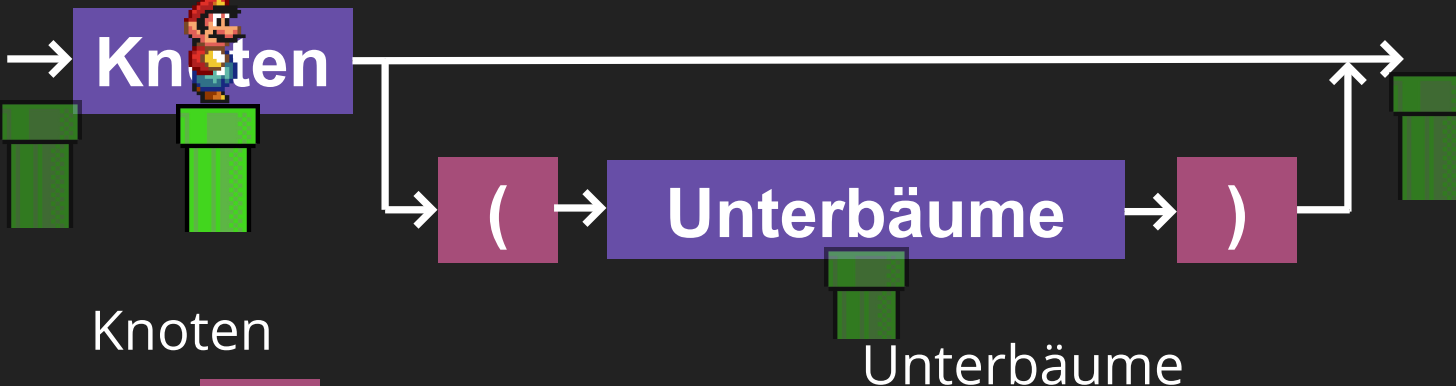
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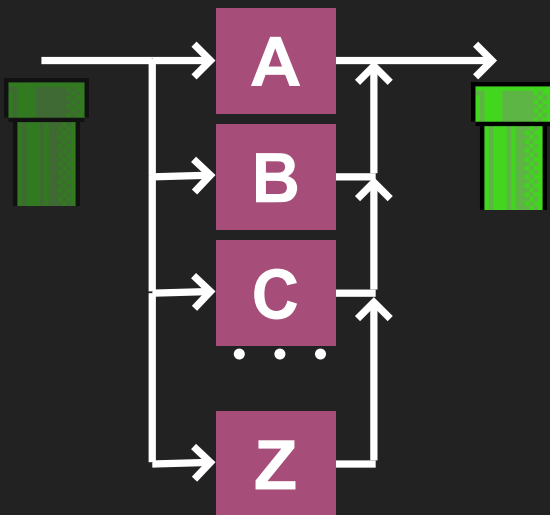
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Syntaxdiagramme

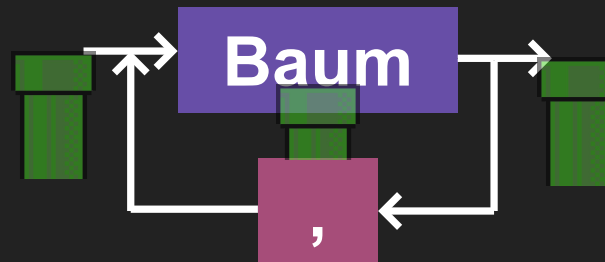
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Knoten



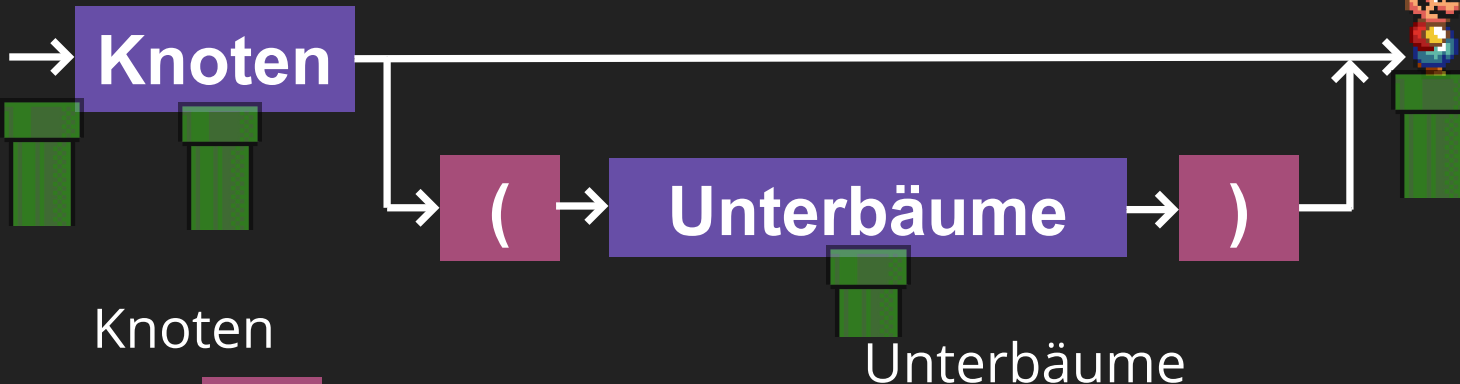
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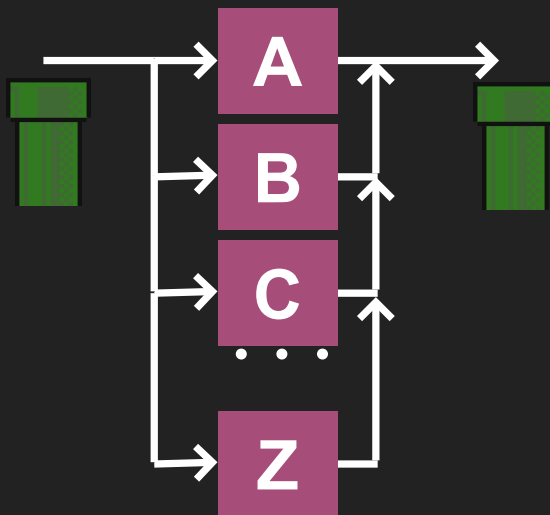
A (B (C , D))

Syntaxdiagramme

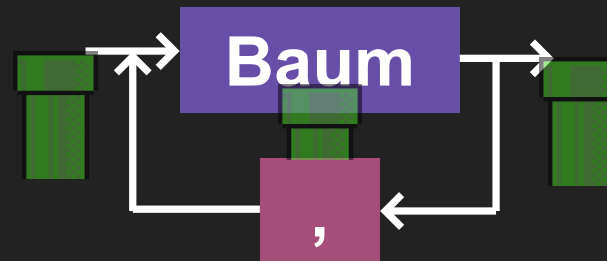
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Knoten



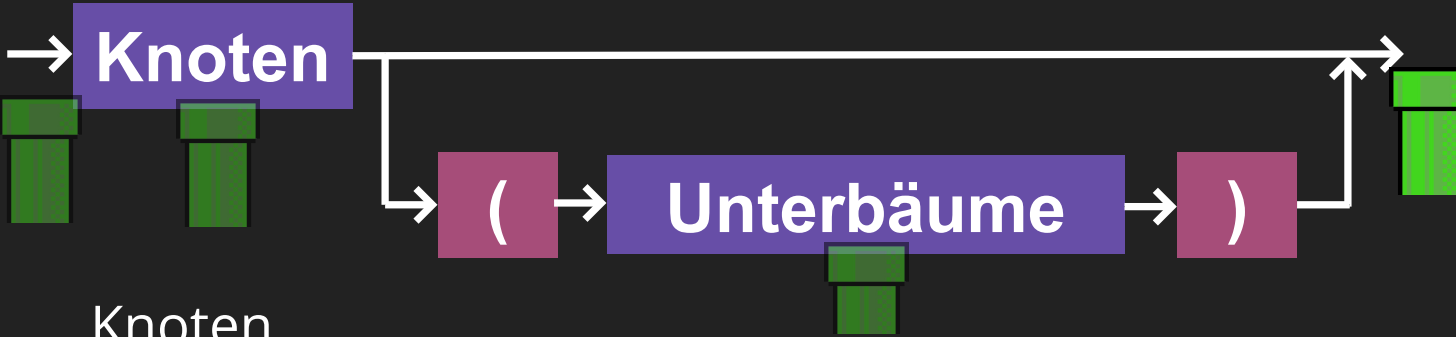
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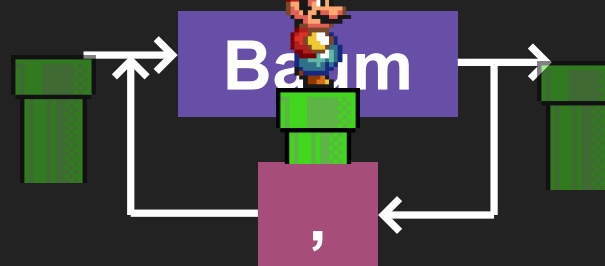
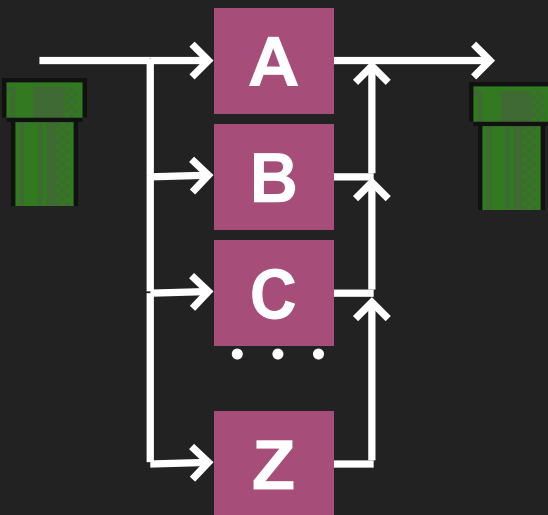
Syntaxdiagramme

Baum



Knoten

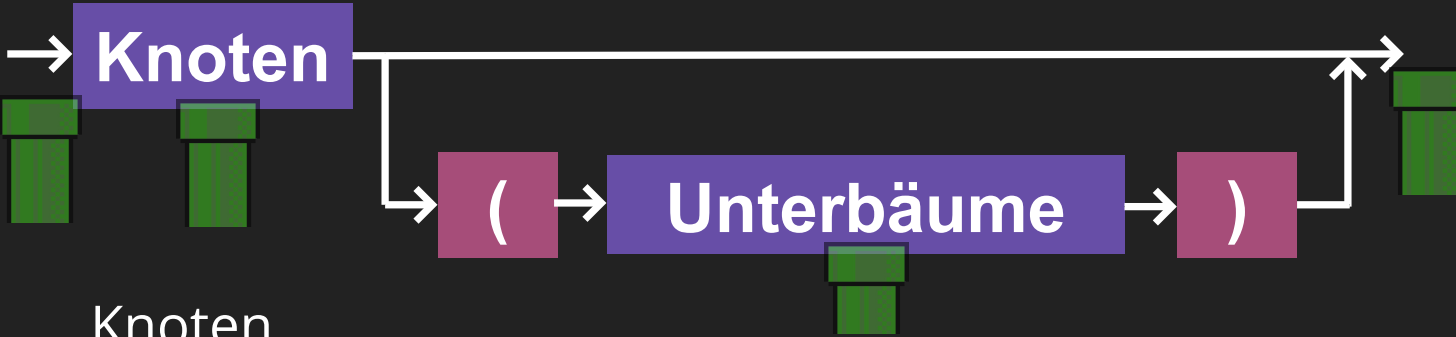
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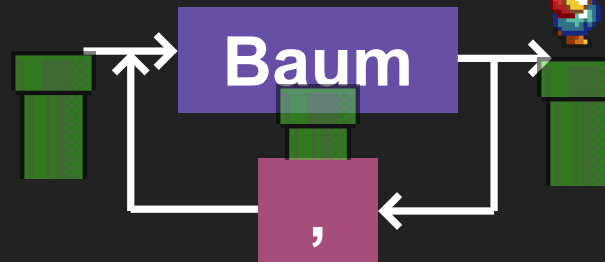
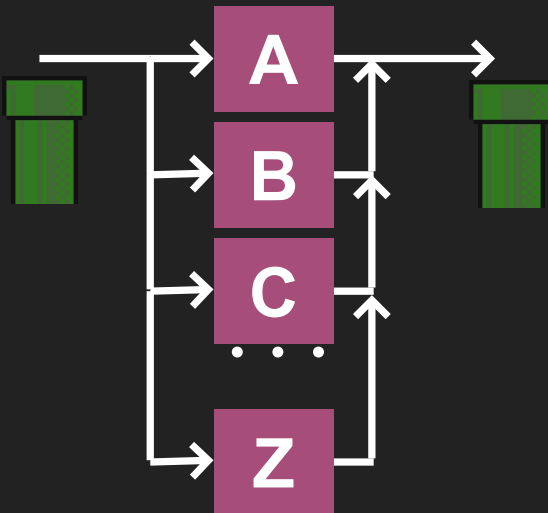
Syntaxdiagramme

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Knoten

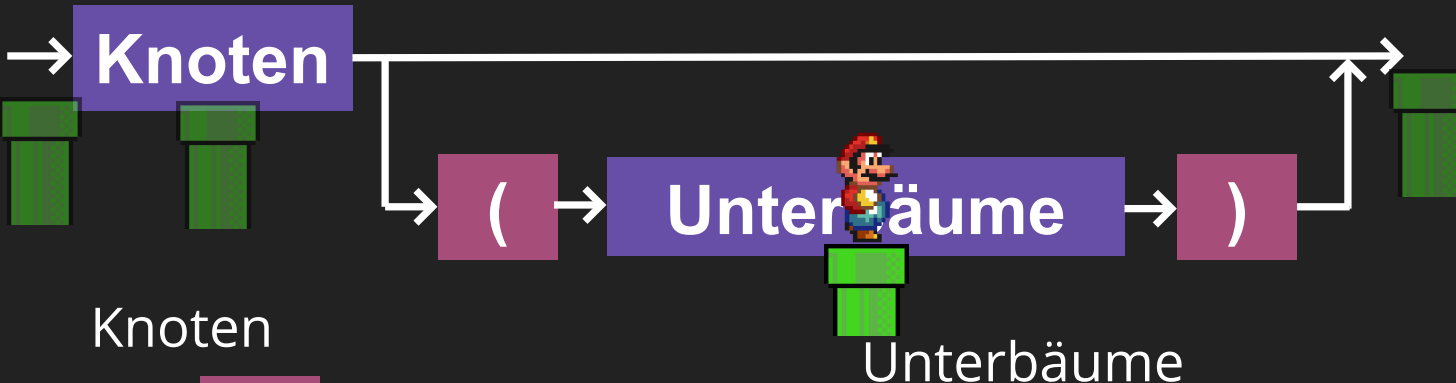
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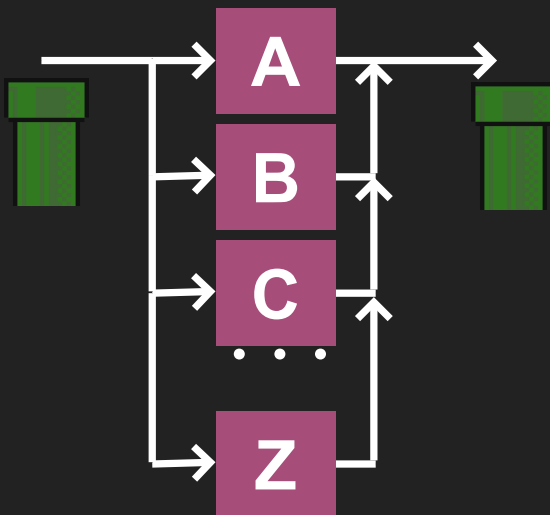
A (B (C , D))

Syntaxdiagramme

Baum



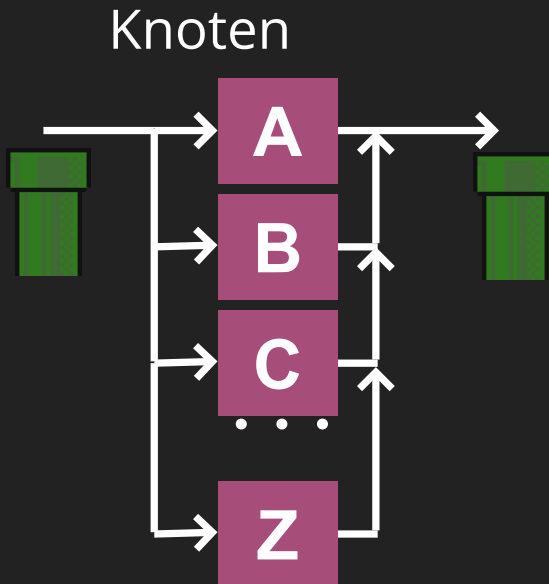
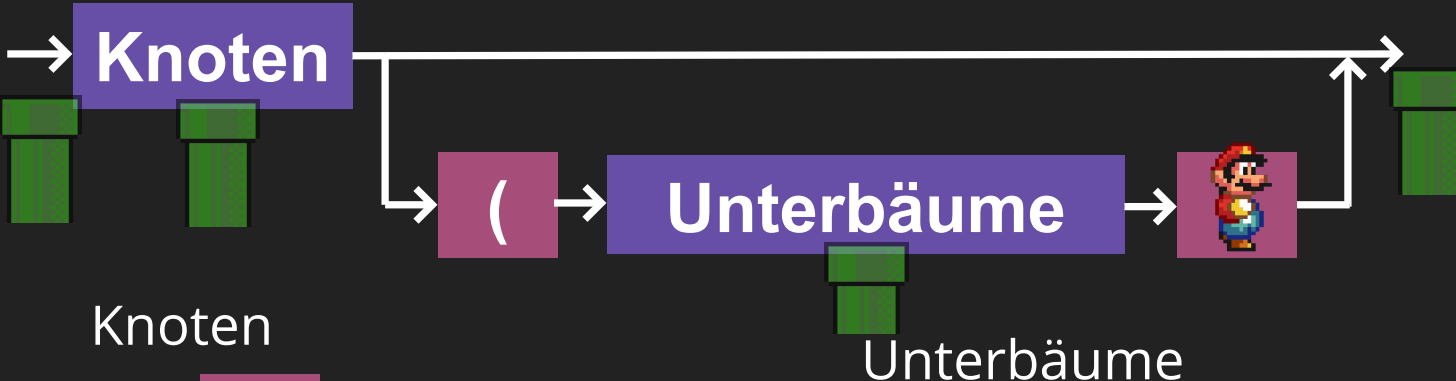
Knoten



A (B (C , D))

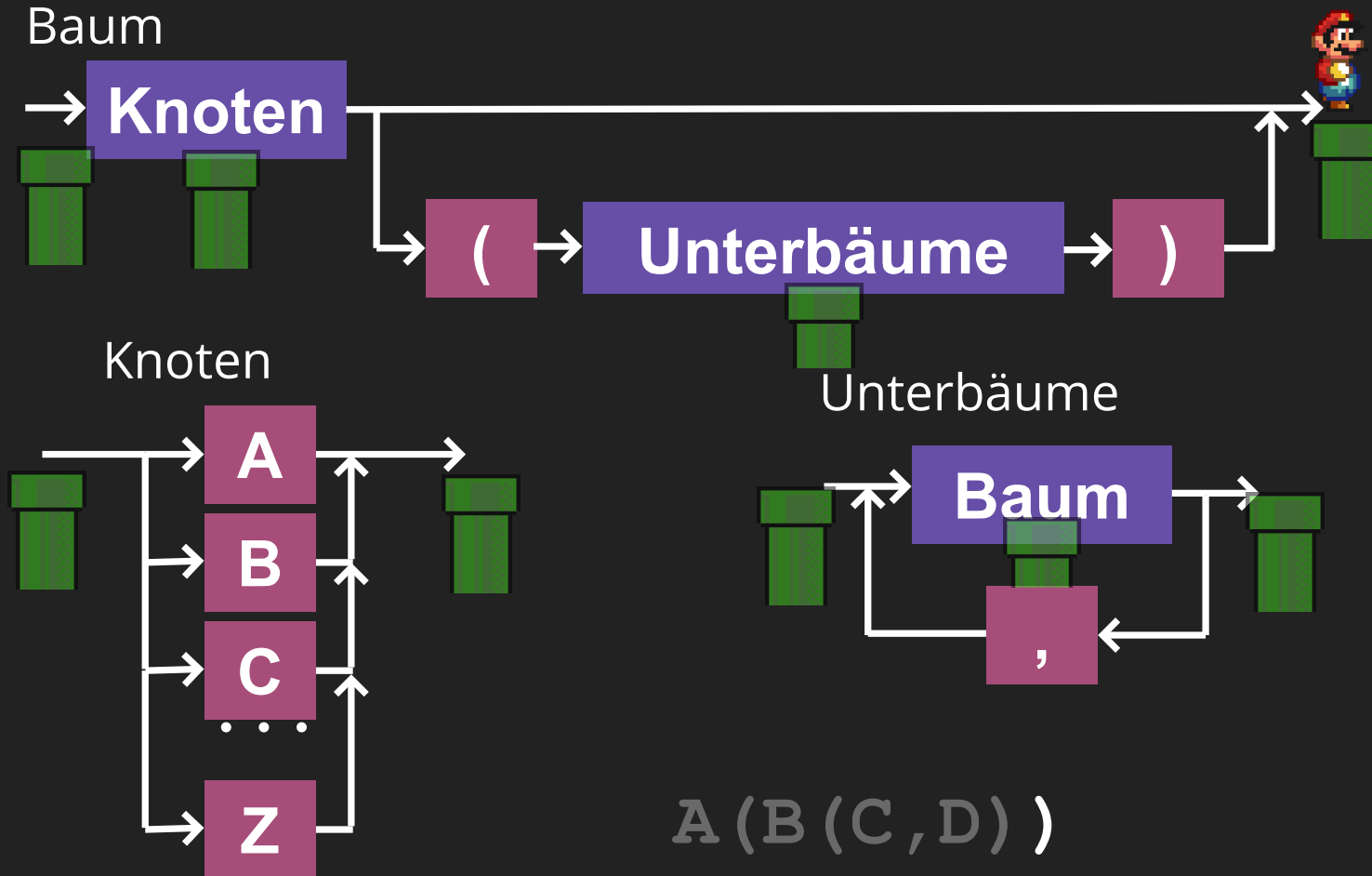
Syntaxdiagramme

Baum



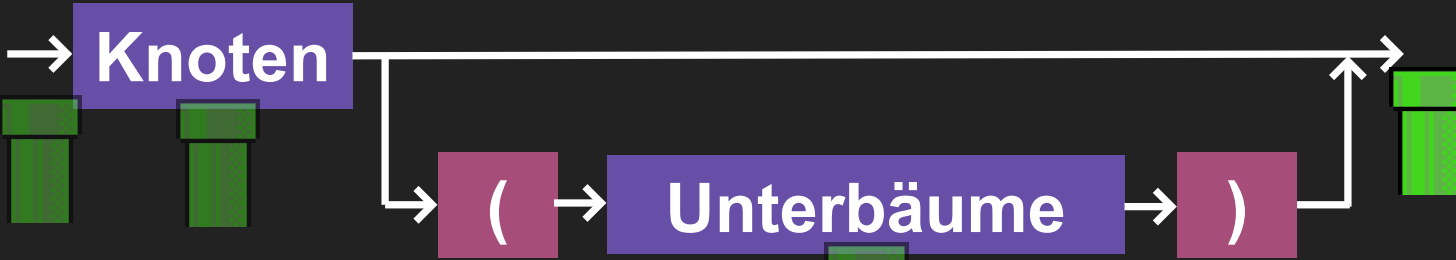
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Syntaxdiagramme

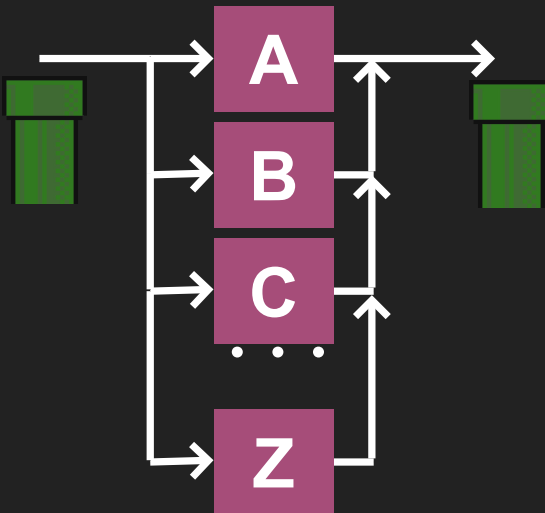


Syntaxdiagramme

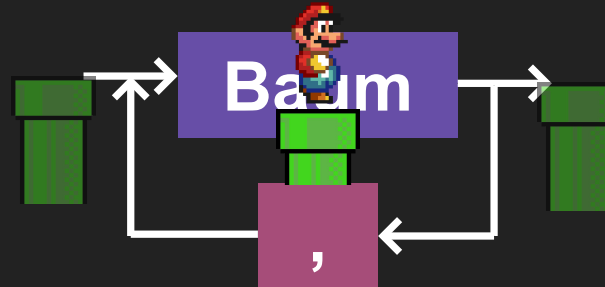
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Knoten



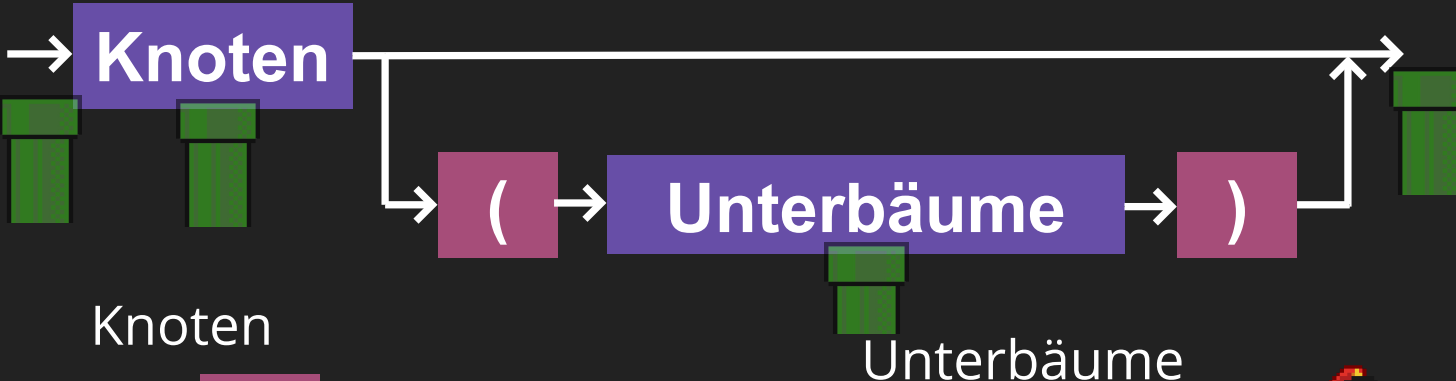
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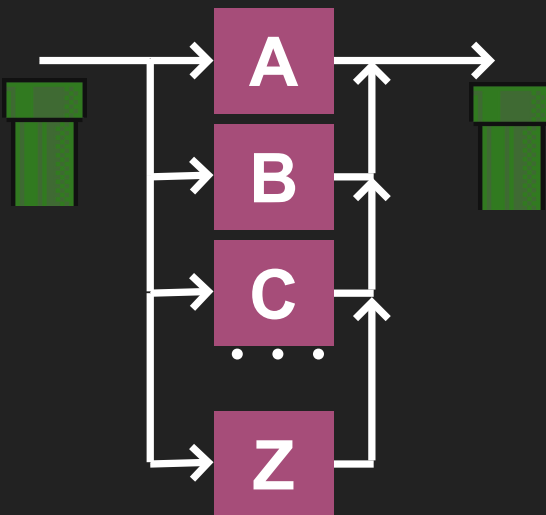
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Syntaxdiagramme

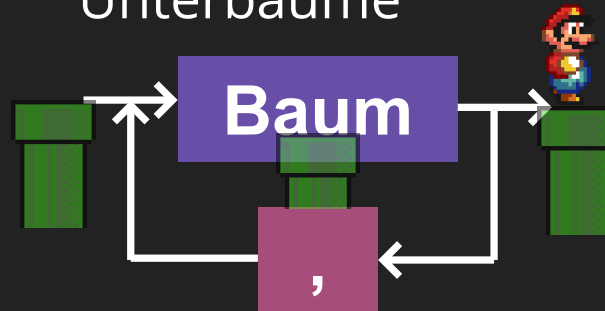
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Knoten



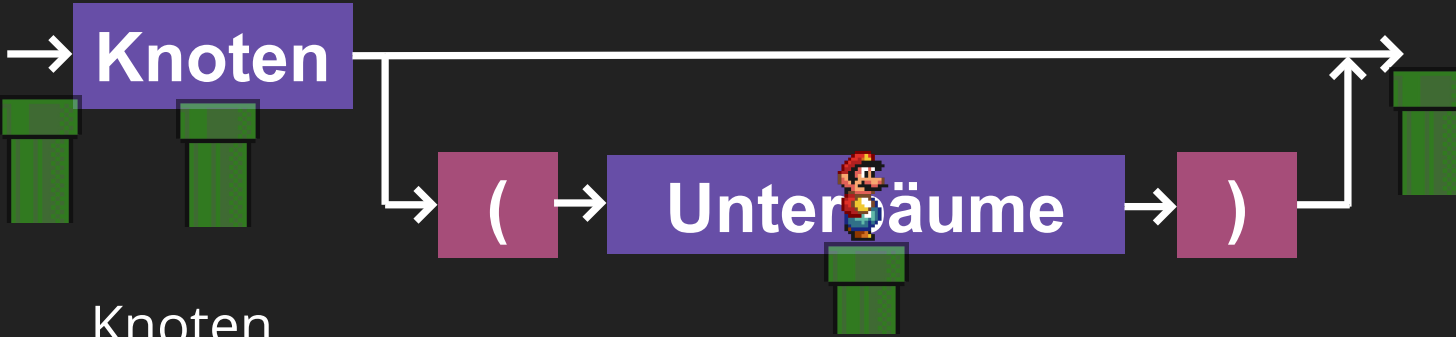
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A (B (C , D))

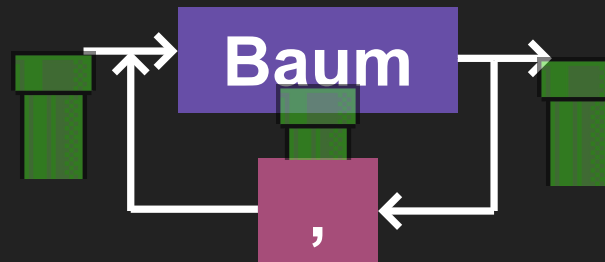
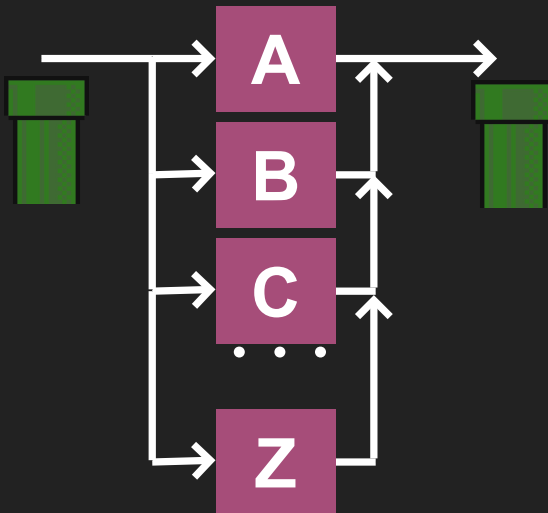
Syntaxdiagramme

Baum



Knoten

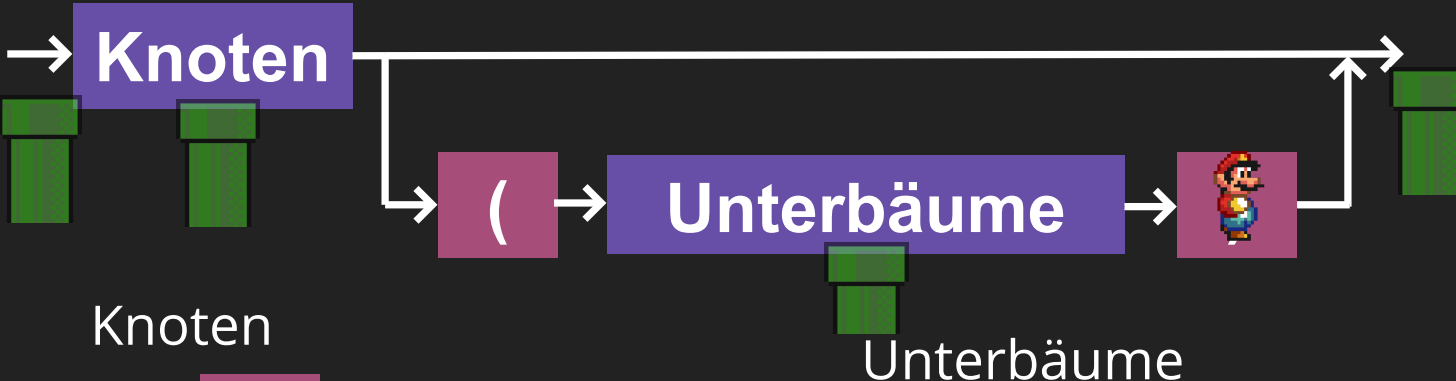
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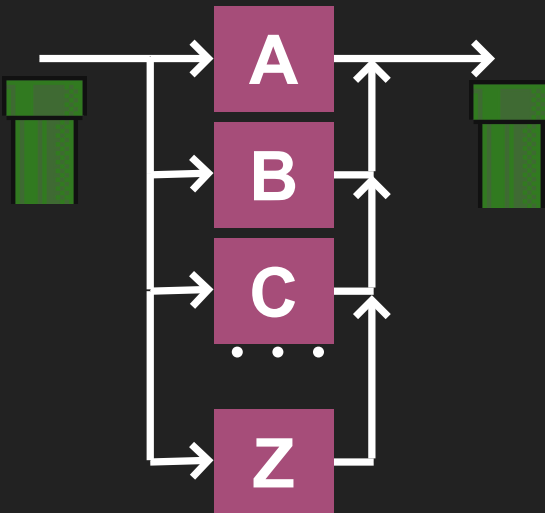
A (B (C , D))

Syntaxdiagramme

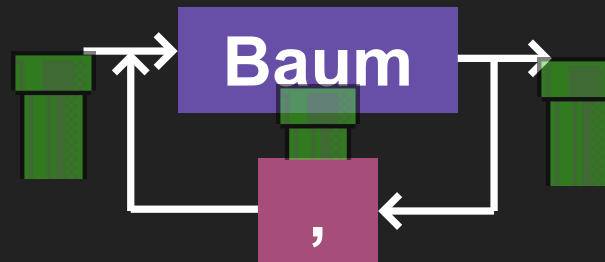
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Knoten



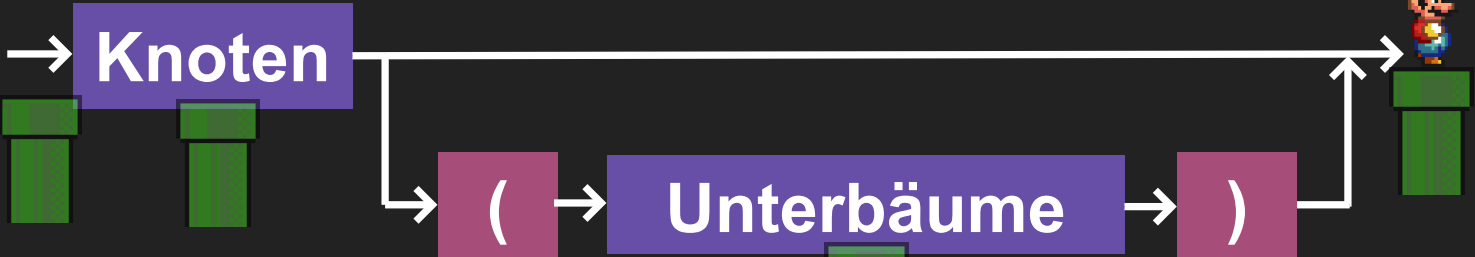
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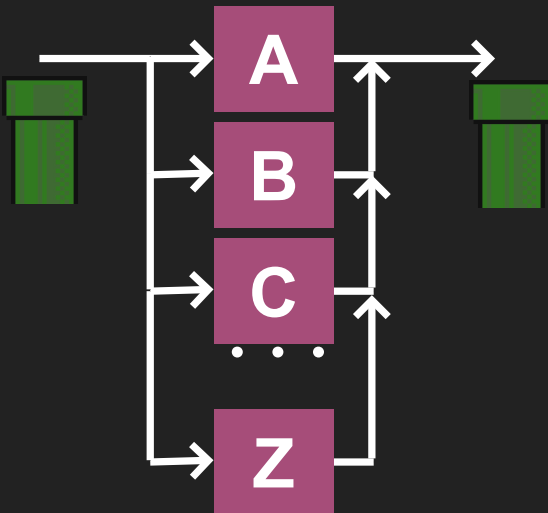
A (B (C , D))

Syntaxdiagramme

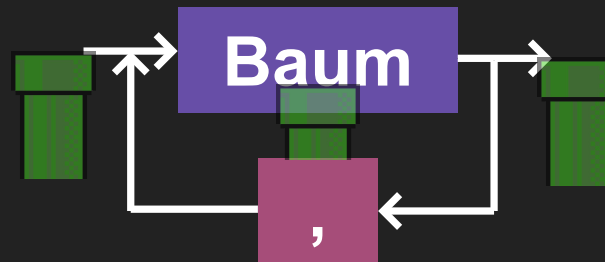
Baum



Knoten

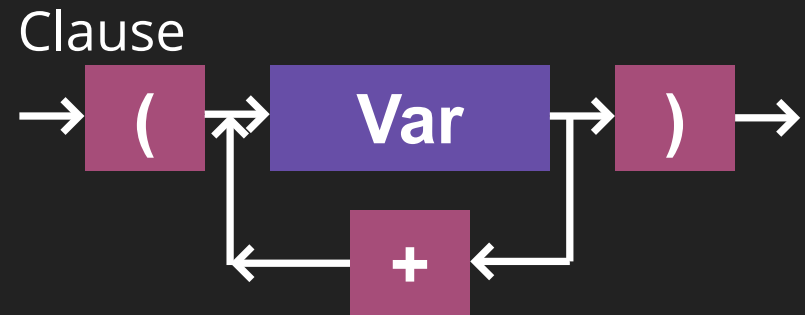


Unterbäume



A (B (C , D))

Syntaxchecker



```
1 private static int parseClause(String kd, int offset) throws ParseException {
2     if (!checkNext('(', kd, offset)) {
3         throw new ParseException("expected '(', offset); ← parst '('
4     }
5     offset++;
6
7     while(true){
8         offset = parseVar(kd, offset); ← parst Var
9         if (!checkNext('+', kd, offset)) {
10            break; ← falls kein '+' folgt, Schleife abbrechen
11        }
12        offset++; ← sonst offset erhöhen ('+' parsen)
13    }
14
15    if (!checkNext(')', kd, offset)) {
16        throw new ParseException("expected ')'", offset); ← parst ')'
17    }
18    offset++;
19
20    return offset; ← neuen offset zurückgeben
21 }
```



Welches ist die korrekte Schleifeninvariante?

```
1  int j = 9;  
2  int i = 0;  
3  
4  while(i < 9) {  
5      i++;  
6      j--;  
7  }
```

1. $i == 9$

2. $j == 9$

3. $i + j == 9$

4. $i - j == 9$

Welches ist die korrekte Schleifeninvariante?

```
1  int a = 0;  
2  int b = 0;  
3  
4  while(b < 7) {  
5      b++;  
6      a += 10;  
7  }
```

1. $a == b + 10$
2. **$a == b * 10$**
3. $b == a - 10$
4. $b == 0$

Welches ist die korrekte Schleifeninvariante?

```
1  int info = -1;
2  int II = 1;
3
4  while(info < 2){
5      info++;
6  }
```

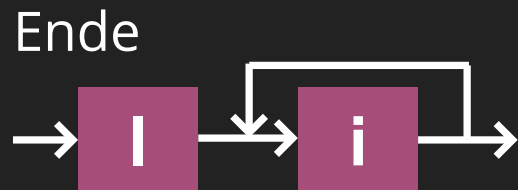
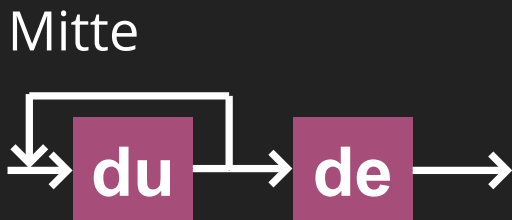
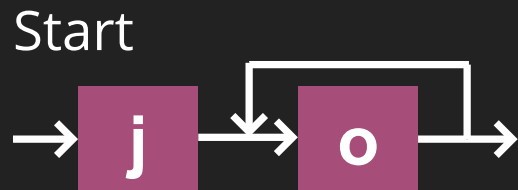
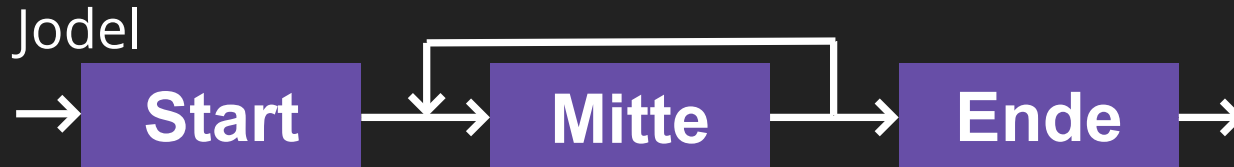
1. $info - II == -2$

2. $info + II == 0$

3. $info * II < 3$

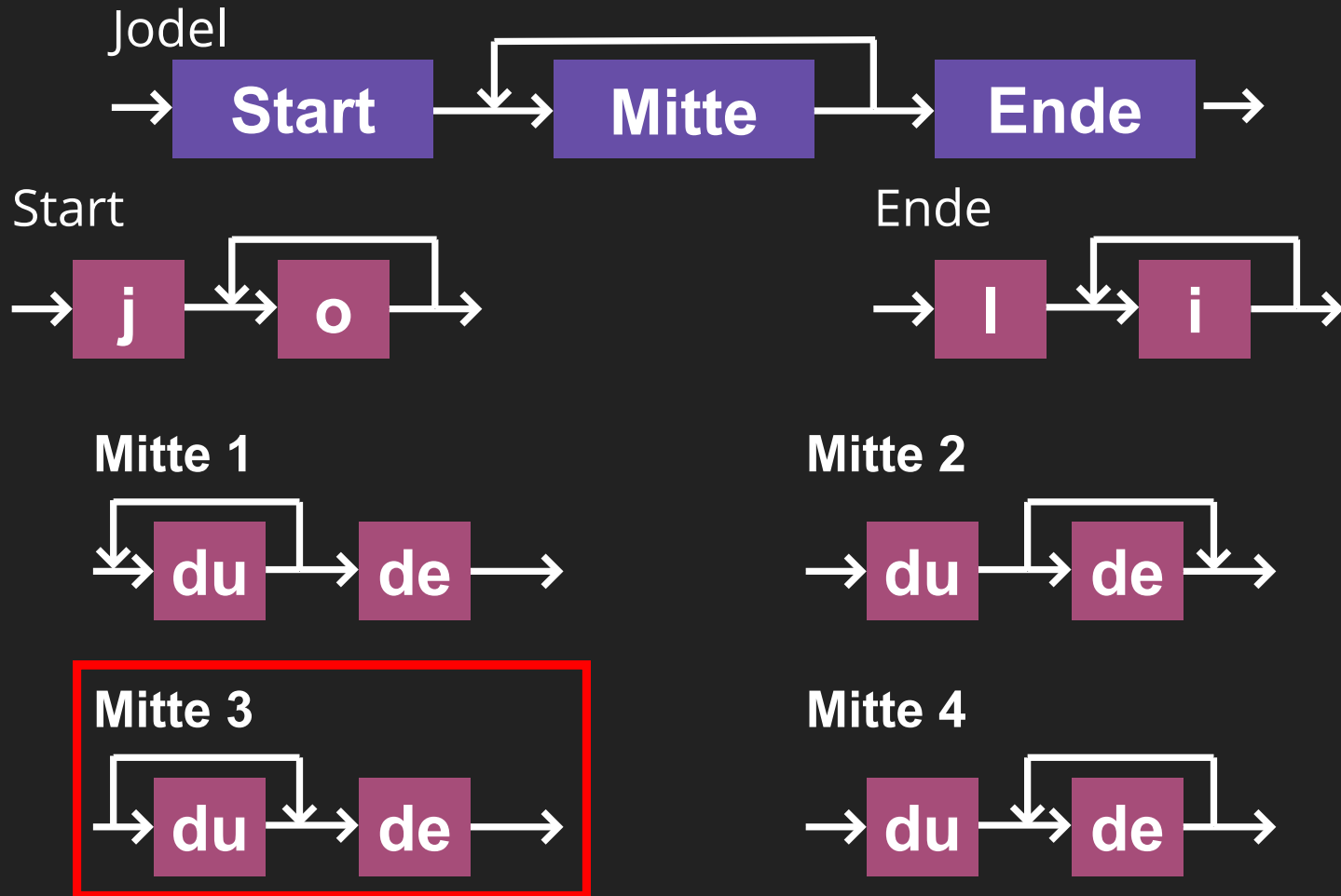
4. $info / II < 2$

Welcher Jodel ist falsch?



1. jodududeli
2. jodudedudeli
3. joodudeli
4. **jodududedeli**

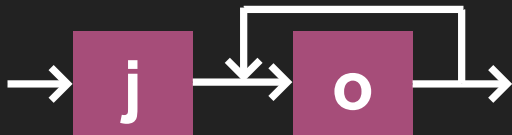
Mit welcher "Mitte" kann man "jodeli" darstellen?



Welches Syntaxdiagramm wird von diesem Programm geprüft?

```
1 private static int parseStart(String kd, int offset) throws ParseException{
2
3     if(checkNext('j', kd, offset)){
4         offset++;
5     }
6     else{
7         throw ParseException("Expected \"j\" at "+offset);
8     }
9
10    while(checkNext('o', kd, offset)){
11        offset++;
12    }
13
14    return offset;
15 }
```

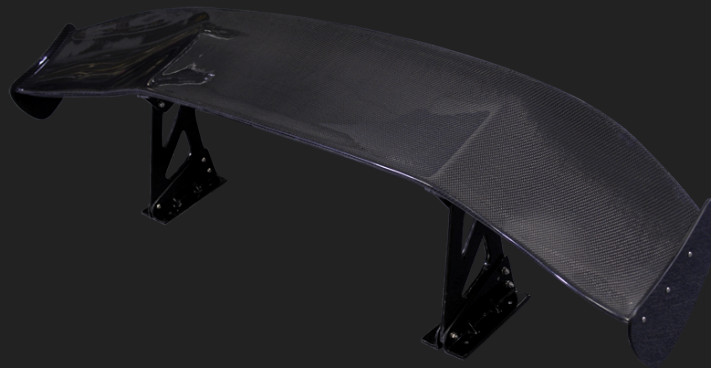
Start 1



Start 2



Vorbesprechung



Programmverifikation

1. Findet eine Schleifeninvariante.
2. Beweist mittels der gefundenen Schleifeninvariante die Korrektheit der Implementierung.
3. Gilt nach der Änderung an Zeilen 5,6 noch die Schleifeninvariante? Ist der Beweis immer noch gültig?

```
1 static int f(int i, int j) {  
2     int u = i;  
3     int z = 0;  
4     while (u > 0){  
5         z = z + j;  
6         u = u - 1;  
7     }  
8     return z;  
9 }
```



```
1 static int f(int i, int j) {  
2     int u = i;  
3     int z = 0;  
4     while (u > 0){  
5         z = z;  
6         u = u;  
7     }  
8     return z;  
9 }
```

Tipp: Der Beweis ist recht ähnlich zu meinem Beispiel im BestOf

String und StringBuffer

Caesar-Verschlüsselung

- Buchstaben werden um 3 weitergesetzt.
 - Geheimniss
→Jhklpqlvv
- Chars können durch Integeroperationen nach ASCII modifiziert werden.
 - 'A' + 1 == 'B'
 - 'A' + '\$' == 'e'

Dec	Hx	Oct	Char	Dec	Hx	Oct	Html	Chr	Dec	Hx	Oct	Html	Chr	Dec	Hx	Oct	Html	Chr
0	0	000	NUL (null)	32	20	040	 	Space	64	40	100	@	@	96	60	140	`	`
1	1	001	SOH (start of heading)	33	21	041	!	!	65	41	101	A	A	97	61	141	a	a
2	2	002	STX (start of text)	34	22	042	"	"	66	42	102	B	B	98	62	142	b	b
3	3	003	ETX (end of text)	35	23	043	#	#	67	43	103	C	C	99	63	143	c	c
4	4	004	EOT (end of transmission)	36	24	044	$	\$	68	44	104	D	D	100	64	144	d	d
5	5	005	ENQ (enquiry)	37	25	045	%	%	69	45	105	E	E	101	65	145	e	e
6	6	006	ACK (acknowledge)	38	26	046	&	&	70	46	106	F	F	102	66	146	f	f
7	7	007	BEL (bell)	39	27	047	'	'	71	47	107	G	G	103	67	147	g	g
8	8	010	BS (backspace)	40	28	050	((72	48	110	H	H	104	68	150	h	h
9	9	011	TAB (horizontal tab)	41	29	051))	73	49	111	I	I	105	69	151	i	i
10	A	012	LF (NL line feed, new line)	42	2A	052	*	*	74	4A	112	J	J	106	6A	152	j	j
11	B	013	VT (vertical tab)	43	2B	053	+	+	75	4B	113	K	K	107	6B	153	k	k
12	C	014	FF (NP form feed, new page)	44	2C	054	,	,	76	4C	114	L	L	108	6C	154	l	l
13	D	015	CR (carriage return)	45	2D	055	-	-	77	4D	115	M	M	109	6D	155	m	m
14	E	016	SO (shift out)	46	2E	056	.	.	78	4E	116	N	N	110	6E	156	n	n
15	F	017	SI (shift in)	47	2F	057	/	/	79	4F	117	O	O	111	6F	157	o	o
16	10	020	DLE (data link escape)	48	30	060	0	0	80	50	120	P	P	112	70	160	p	p
17	11	021	DC1 (device control 1)	49	31	061	1	1	81	51	121	Q	Q	113	71	161	q	q
18	12	022	DC2 (device control 2)	50	32	062	2	2	82	52	122	R	R	114	72	162	r	r
19	13	023	DC3 (device control 3)	51	33	063	3	3	83	53	123	S	S	115	73	163	s	s
20	14	024	DC4 (device control 4)	52	34	064	4	4	84	54	124	T	T	116	74	164	t	t
21	15	025	NAK (negative acknowledge)	53	35	065	5	5	85	55	125	U	U	117	75	165	u	u
22	16	026	SYN (synchronous idle)	54	36	066	6	6	86	56	126	V	V	118	76	166	v	v
23	17	027	ETB (end of trans. block)	55	37	067	7	7	87	57	127	W	W	119	77	167	w	w
24	18	030	CAN (cancel)	56	38	070	8	8	88	58	130	X	X	120	78	170	x	x
25	19	031	EM (end of medium)	57	39	071	9	9	89	59	131	Y	Y	121	79	171	y	y
26	1A	032	SUB (substitute)	58	3A	072	:	:	90	5A	132	Z	Z	122	7A	172	z	z
27	1B	033	ESC (escape)	59	3B	073	;	;	91	5B	133	[[123	7B	173	{	{
28	1C	034	FS (file separator)	60	3C	074	<	<	92	5C	134	\	\	124	7C	174	|	
29	1D	035	GS (group separator)	61	3D	075	=	=	93	5D	135]]	125	7D	175	}	}
30	1E	036	RS (record separator)	62	3E	076	>	>	94	5E	136	^	^	126	7E	176	~	~
31	1F	037	US (unit separator)	63	3F	077	?	?	95	5F	137	_	_	127	7F	177		DEL

Source: www.LookupTables.com

String und StringBuffer

- Die Funktion encrypt ist bereits gegeben, implementiert analog dazu die Funktion decrypt.
- Verwendet StringBuffer in decrypt.
- Der Rückgabewert sollte aber immer noch String sein → .toString()

```
1 public static String encrypt(String s) {  
2     String ret = "";  
3     for (int i = 0; i != s.length(); ++i) {  
4         ret = ret + (char) (s.charAt(i) + 3);  
5     }  
6     return ret;  
7 }
```



```
1 public static String decrypt(String s) {  
2     // TODO  
3 }
```

Syntaxdiagramm

- Sind die folgenden Strings korrekte Clauses?

1. X_2

2. $(\sim X_1)$

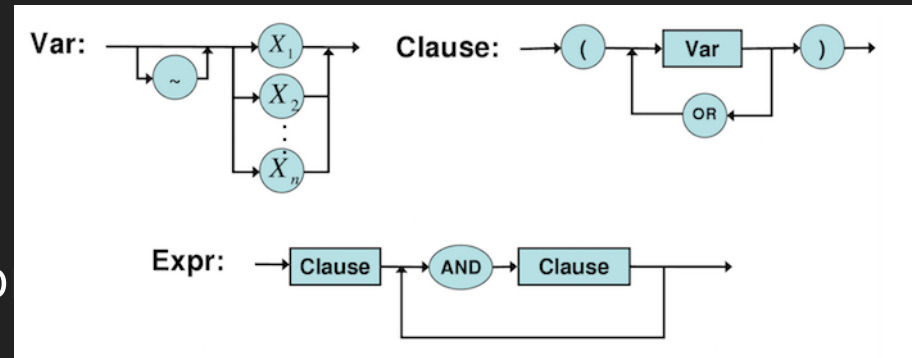
3. $\sim (X_1 \text{ OR } \sim X_2)$

4. $(X_2) \text{ OR } (\sim X_1 \text{ OR } X_2)$

- Sind die folgenden Strings korrekte Expressions?

1. $(X_1 \text{ OR } X_2) \text{ AND } (\sim X_2)$

2. $(X_1) \text{ AND } (\sim X_1 \text{ OR } \sim X_2) \text{ AND } (X_2)$



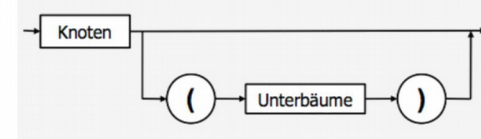
Syntaxdiagramm für Bäume

- Ergänzen Sie das Syntaxdiagramm, sodass leere Bäume und leere Teilbäume generiert werden können.
- Ein leerer Baum bzw. Teilbaum soll dabei durch ein '-' repräsentiert werden.

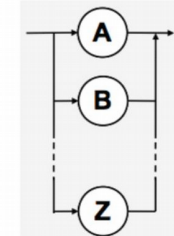
Ein Syntaxdiagramm-Beispiel: Klammerdarstellung eines Baums

Beispiel: $A(B(D), C(E, F))$

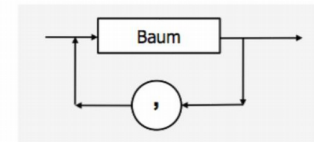
Baum:



Knoten:



Unterbäume :



Wie könnte man Binärbäume durch ein Syntaxdiagramm darstellen?

101

Syntaxchecker

- Implementiert einen Syntaxchecker für Wurzelbäume in der Klammerdarstellung.
- **Tipp:** Verwendet die folgenden Funktionen:



```
1 //checks if the char at position offset in the String kd is equal to c
2 Boolean checkNext(char c, String kd, int offset){ ... }
3 int parseTree(String kd, int offset){ ... }
4 int parseSubtree(String kd, int offset) { ... }
5 int parseNode(String kd, int offset){ ... }
```

Viel Spass!

